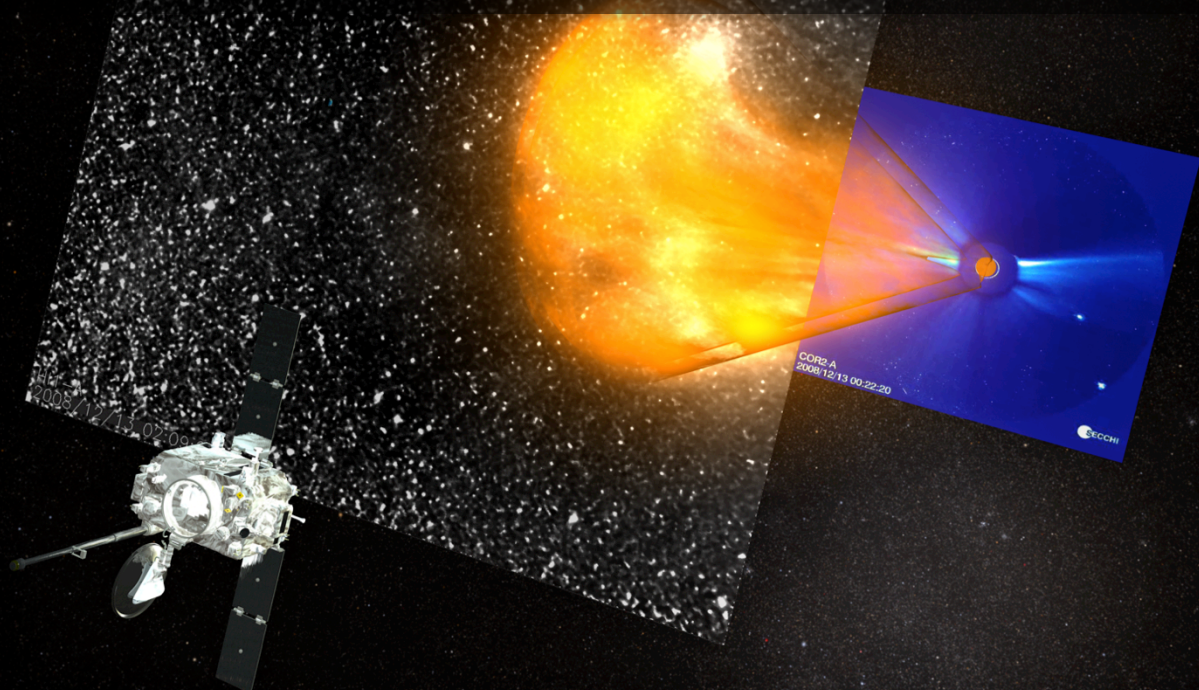


# THE MOST GENERIC SHAPE OF ICMES

## A COMPARISON OF MODELS AND INTERPLANETARY EVENT CATALOGUES



**MIHO JANVIER<sup>1</sup>, PASCAL DEMOULIN<sup>2</sup>, SERGIO DASSO<sup>3</sup>, JIMMY MASIAS<sup>3</sup>, NOE LUGAZ<sup>4</sup>**

**<sup>1</sup>University of Dundee, <sup>2</sup>Observatoire de Paris, <sup>3</sup>Universidad Buenos Aires <sup>4</sup>Univ. New Hampshire**

WHAT STRUCTURES CAN WE STUDY?

Catalogues of MCs and Shocks

WHAT PARAMETERS CAN WE LOOK AT?

« Location » parameter

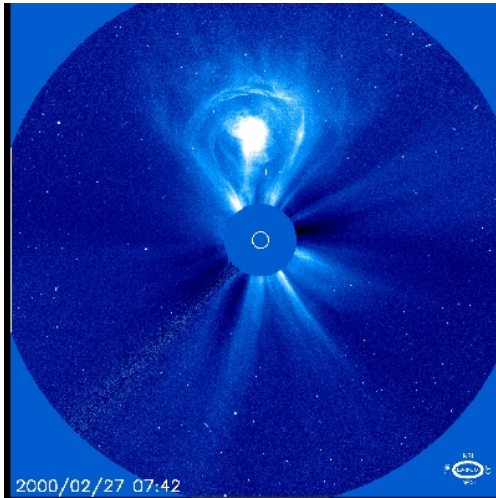
CAN WE REALLY LOOK AT ALL ICMES TOGETHER?

2003 Oct 25 00:30:12

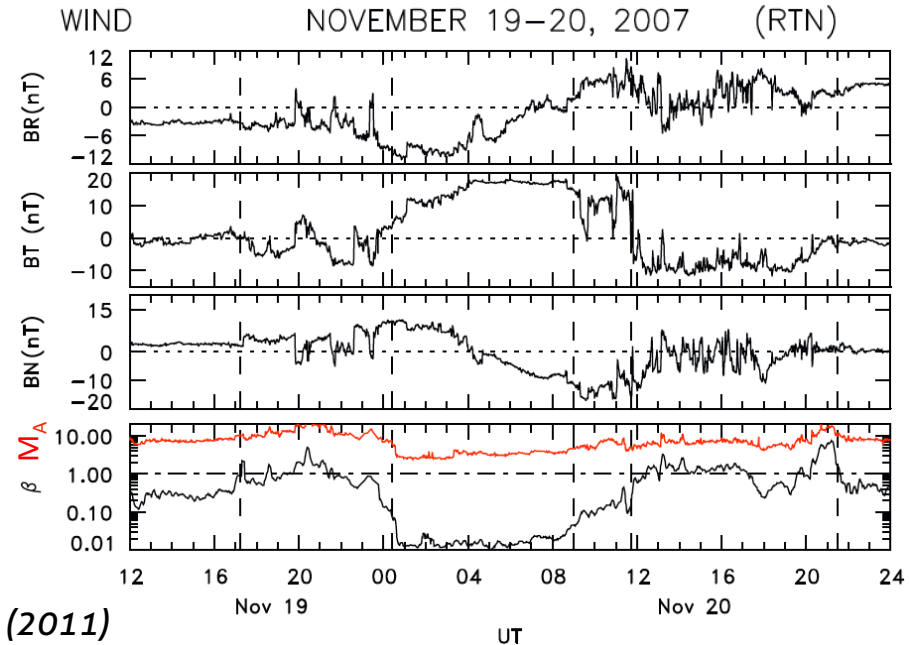
WHAT SHAPE FITS WITH THE OBSERVATIONS?



# INTRODUCTION: ICMES AND MAGNETIC CLOUDS



2010 (SOHO/LASCO)



*Farrugia et al. (2011)*

## Interplanetary CMEs criteria:

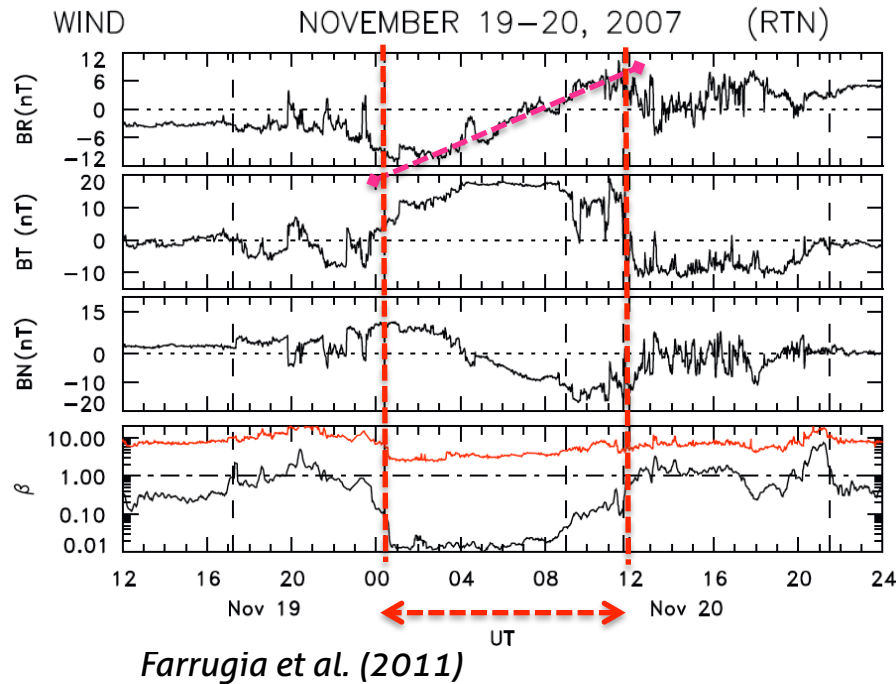
- ✧ Stronger magnetic field than SW
- ✧ Low proton plasma beta
- ✧ Smooth and large rotation of MF
- ✧ Proton temperature lower than SW
- ✧ Enhanced helium abundance
- ✧ Counter-streaming suprathermal electron beams
- ✧ Enhanced ion charge states

*Wimmer-Schweingruber et al. (2006); Zurbuchen & Richardson (2006)*

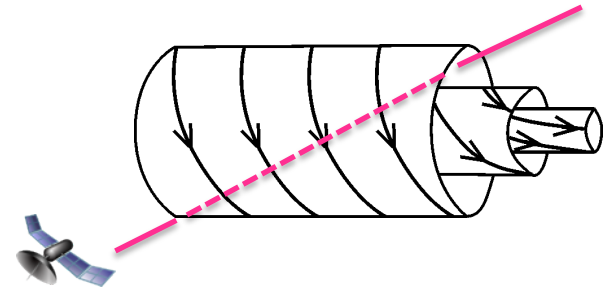
## Magnetic clouds (MCs) criteria

*Burlaga et al. (1981)*

# MAGNETIC CLOUD DETECTION

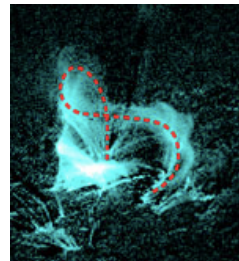


Flux rope = twisted magnetic structure

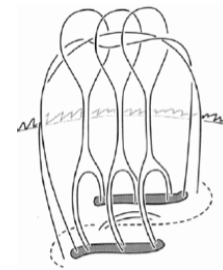


## Consistent with:

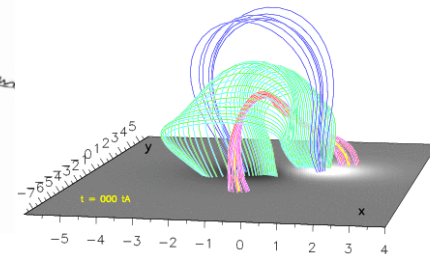
- ✧ Observations of flux ropes during eruptive flares
- ✧ Theoretical models
- ✧ 3D Numerical simulations



*Zhang et al. (2012)*



*Moore et al. (1995)*



*Aulanier et al. (2010)*  
*Janvier et al. (2013)*



# WHY DOES IT MATTER?

## WHY we want to know MCs structures:

- ✧ Role of the field line length in time delay of energetic particles detection

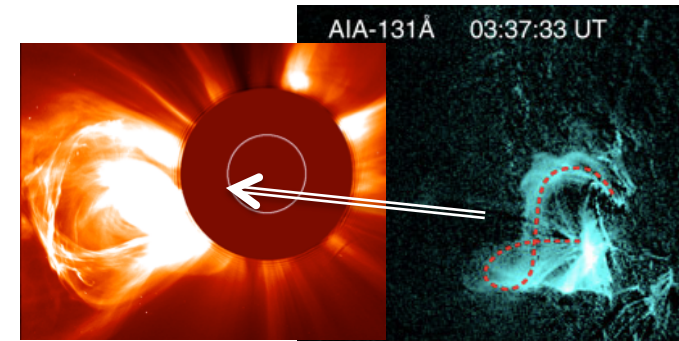
*Larson et al. (1997), Masson et al. (2012)*

- ✧ Link with 3D configuration of associated solar source

*Nakwacki et al. (2011)*

- ✧ Useful for magnetic helicity, energy, flux budget

*Démoulin et al. (2002), Dasso et al. (2005)*



*Zhang et al. (2012)*

## WHY it is difficult to derive 3D MCs structures:

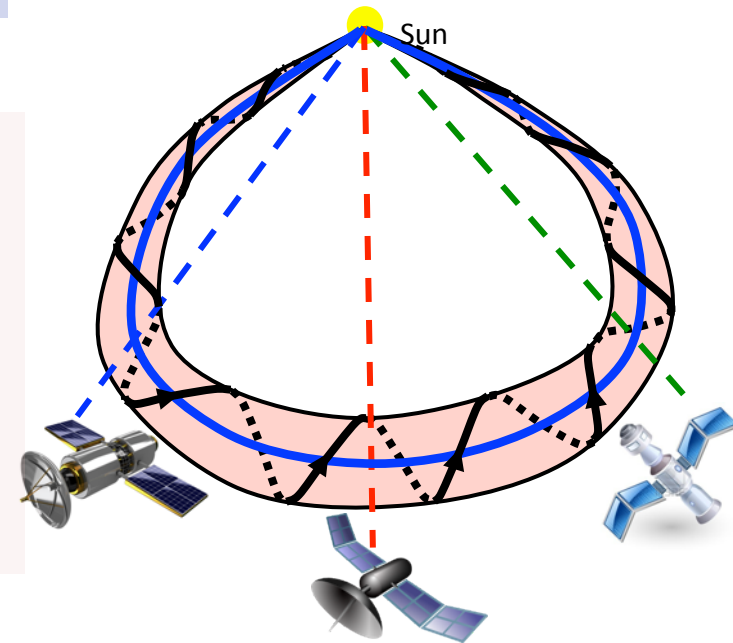
- ✧ Detection only in one direction (spacecraft crossing)

- ✧ Fitting models: only a local view

*Vandas & Romashets (2003), Sonnerup et al. (2006)*

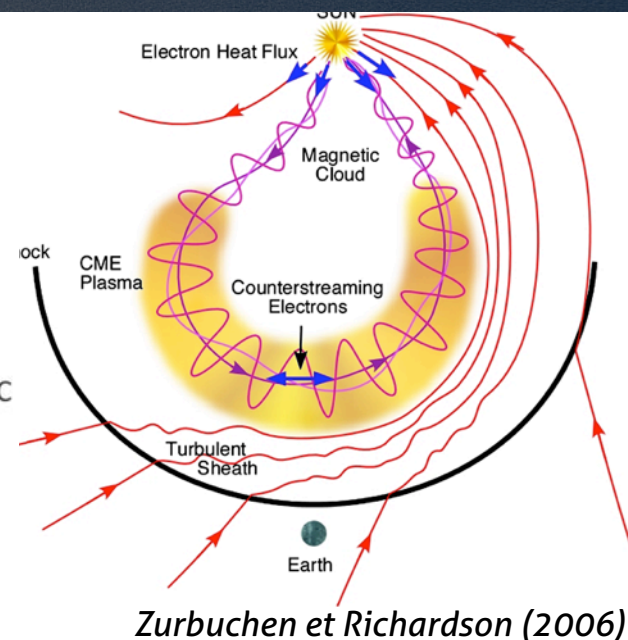
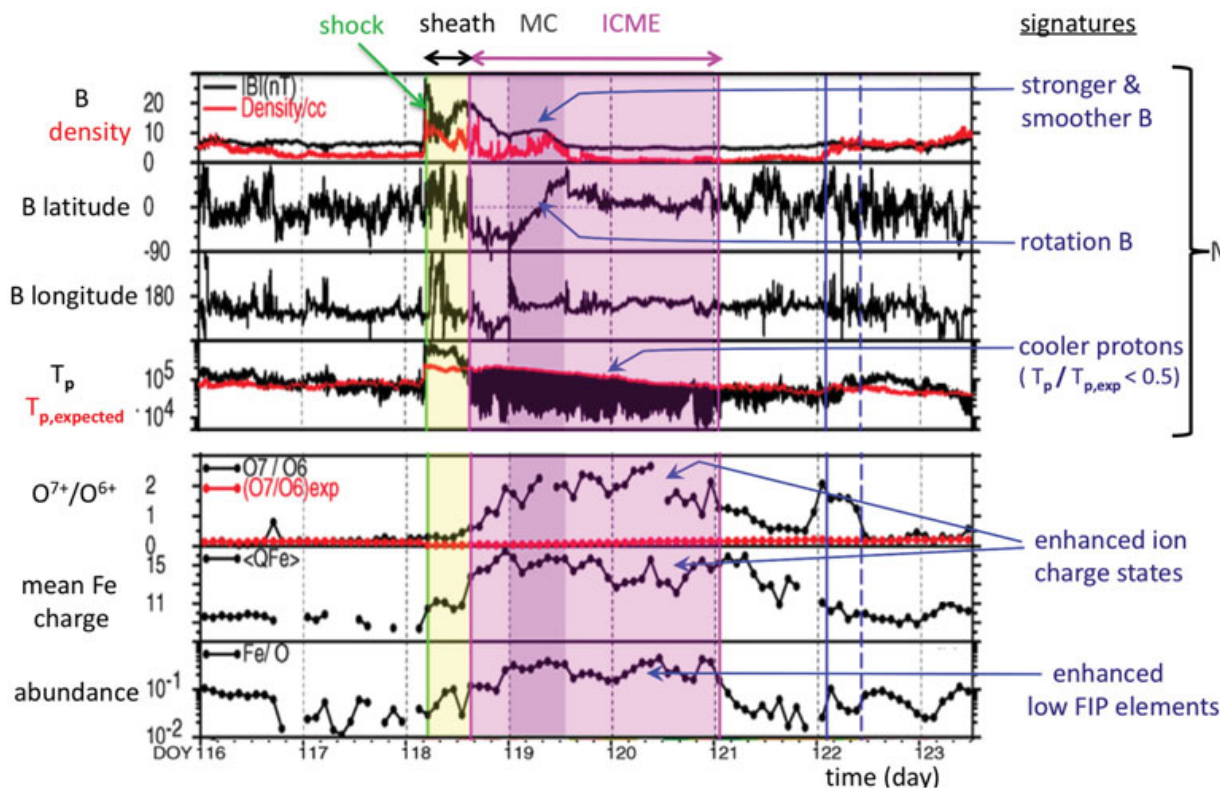
- ✧ Multiple spacecraft crossing: rare occurrences

*Ruffenach et al. (2012)*



# SHOCKS IN THE INTERPLANETARY MEDIUM

With in situ data, it is also possible to define a shock:



Richardson et Cane (2010)

## Shocks are geo-effective:

- ✧ Direct interaction with the Earth's environment
- ✧ Particle acceleration
- ✧ Decrease of high-energy particle flux (Forbush decrease)

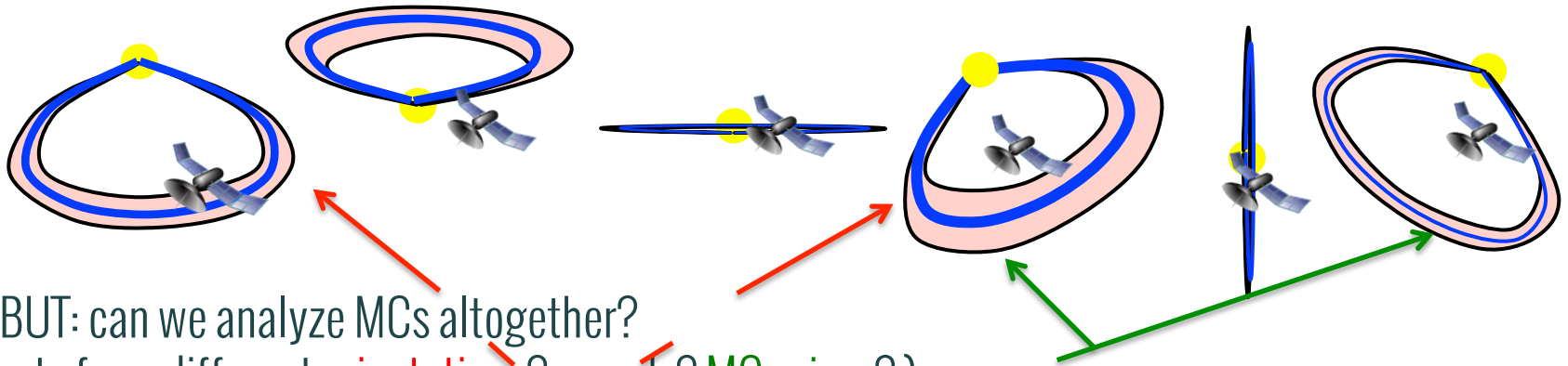
Cane (2000)



# OUR METHOD: STATISTICAL STUDIES

## Statistical analysis of magnetic clouds and shocks observed by one interplanetary probe

⇒ Analysis of samples to obtain the mean axis of MCs / shock shell



⇒ BUT: can we analyze MCs altogether?  
(effects from different orientations? speeds? MCs sizes?)

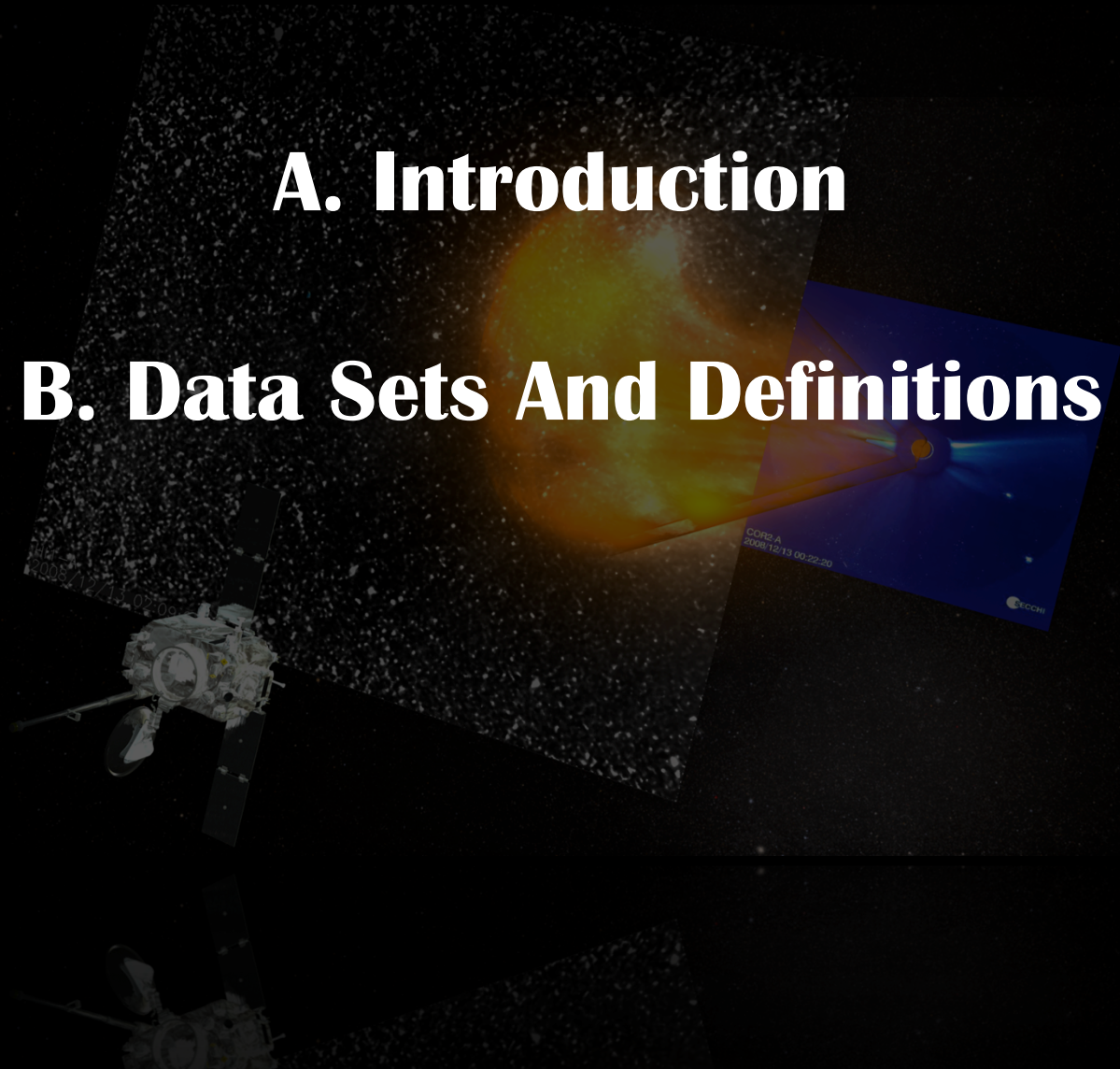
⇒ **BUT: can we analyze all shocks altogether?**  
(Differences in speed? Intensity?)

⇒ What happens when we reproduce the same method on different catalogues of events?

# OUTLINE

**A. Introduction**

**B. Data Sets And Definitions**





# THE DATA SETS

Lynch et al. (2005)

132 MCs

Wind and Ace

1995 - 2003

Feng et al. (2010)

62 MCs+shocks

Wind

1995 - 2007

Wang et al. (2010)

216 Shocks

ACE

1998 - 2008

Lepping & Wu (2010)

121 MCs

Wind

1995 - 2009

Fitted w/ Lundquist's model *Lundquist (1950)*

*circular*

*force-free model*

*straight axis*

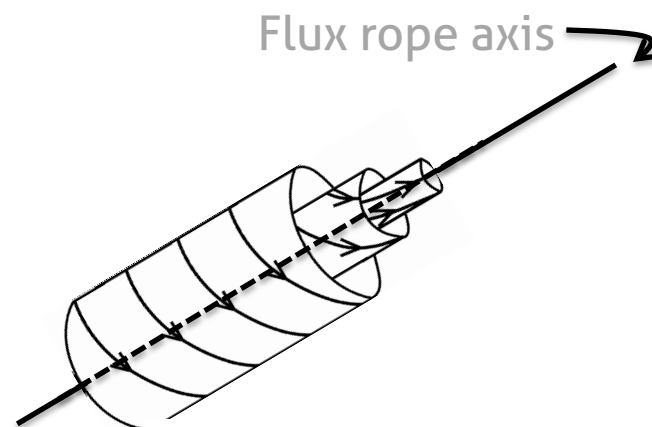
Lundquist's model gives 7 parameters, of which:

⇒ longitude ( $\phi$ )

⇒ latitude ( $\theta$ )

⇒ magnetic field strength on the FR axis

⇒ FR radius (from impact parameter)



$\Delta T^a$ (Hr)	$\phi_A^b$ (°)	$\theta_A^b$ (°)	$V^c$ km/s	$2R_0^d$ (AU)	$B_z^e$ (nT)
19.0	100	18	410	0.216	15.2
17.0	205	-76	443	0.165	14.9
27.0	96	-22	301	0.303	13.3
10.5	149	58	334	0.083	14.8

# THE DATA SETS

Lynch et al. (2005)	132 MCs	Wind and Ace	1995 - 2003
Feng et al. (2010)	62 MCs+shocks	Wind	1995 - 2007
Wang et al. (2010)	216 Shocks	ACE	1998- 2008
Lepping & Wu (2010)	121 MCs	Wind	1995 - 2009

Fitted w/ Rankine-Hugoniot *See also Lin et al. (2006)*  
*One fluid*  
*Anisotropic*

Study of shock + Rankine-Hugoniot's model gives :

- ⇒ shock normal
- ⇒ upstream/downstream density
- ⇒ upstream/downstream Mach number

Shock Normal	$\rho_1/\rho_2$	$V_{sn}$	$M_{f1}$	$M_{f2}$
(-0.805, 0.152, -0.574)	0.79	383.6	0.93	0.66
(-0.919, 0.044, 0.392)	0.67	450.1	1.55	0.87
(-0.729, 0.017, -0.684)	0.51	325.9	1.29	0.46
(-0.978, -0.025, -0.209)	0.35	388.2	1.79	0.45
(-0.772, -0.421, 0.476)	0.19	330.8	5.19	0.53
(-0.793, 0.280, -0.541)	0.30	520.2	1.65	0.31
(-0.790, 0.600, -0.123)	0.36	435.2	2.75	0.58
(-0.767, 0.640, -0.033)	0.47	582.5	1.25	0.47

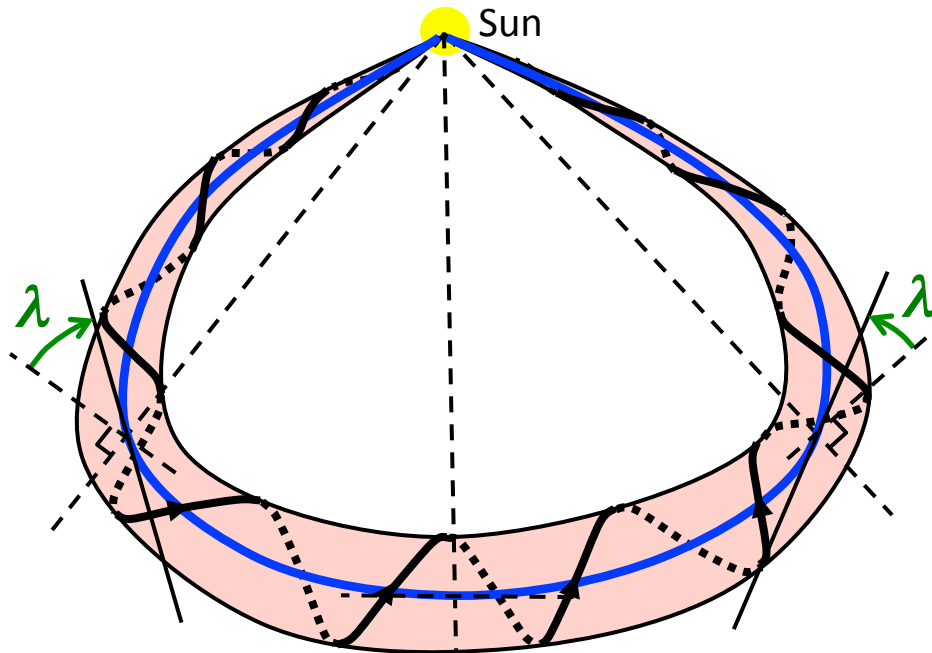


## Inclination angle $i$



# NEW REFERENTIAL: LOCATION ANGLE

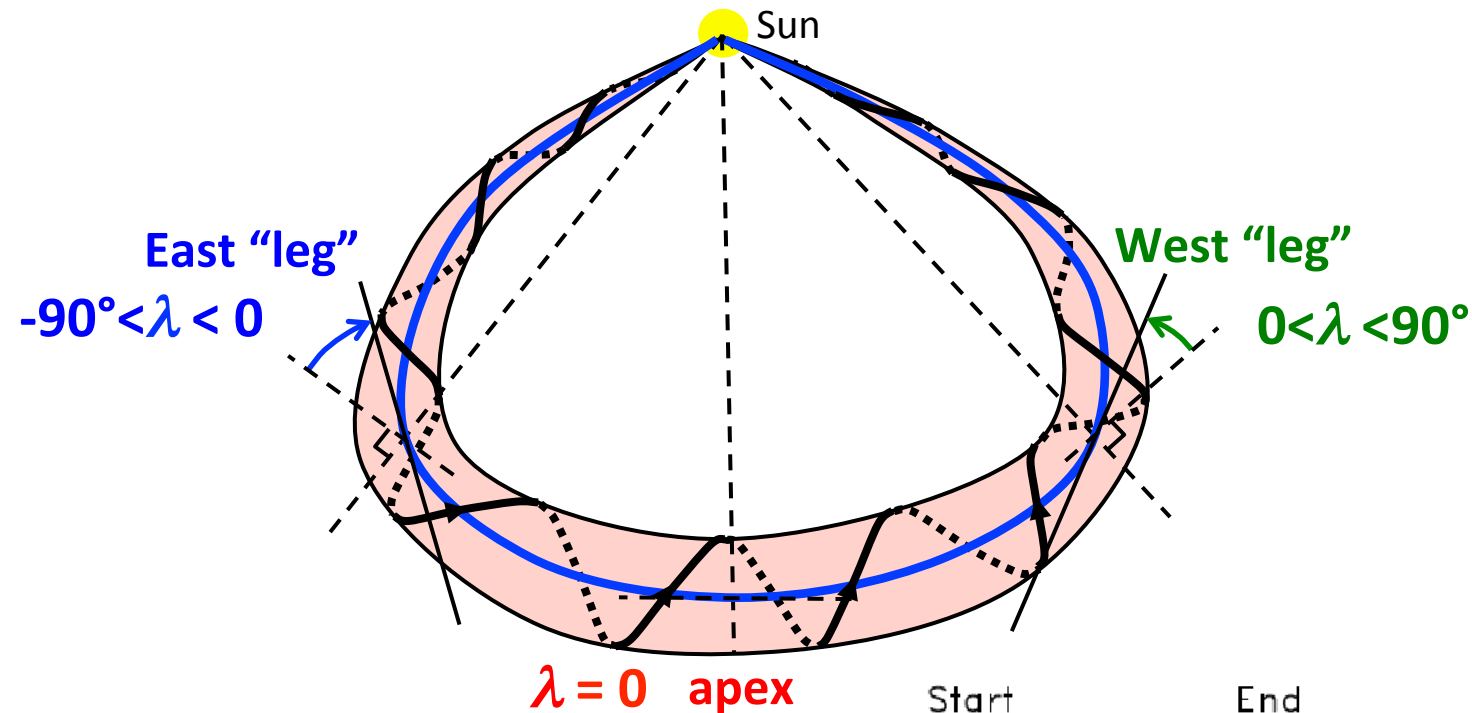
Location angle  $\lambda$





# NEW REFERENTIAL: LOCATION ANGLE

Location angle  $\lambda$



We can deduce  $i$  and  $\lambda$  with the latitude and longitude angles

Start					End					$\Delta T^a$ (Hr)					
Yr	Mon	Day	DOY	Hr	Mon	Day	DOY	Hr			$\phi_A^b$ (°)	$\theta_A^b$ (°)	$V^c$ km/s	$2R_0^d$ (AU)	$B_s^e$ (nT)
95	02	8	039	5.8	02	9	040	0.8	19.0		100	18	410	0.216	15.2
95	03	4	063	10.8	03	5	064	3.8	17.0		205	-76	443	0.165	14.9
95	04	3	093	7.8	04	4	094	10.8	27.0		96	-22	301	0.303	13.3
95	04	6	096	7.3	04	6	096	17.8	10.5		149	58	334	0.083	14.8

# NEW REFERENTIAL: LOCATION ANGLE

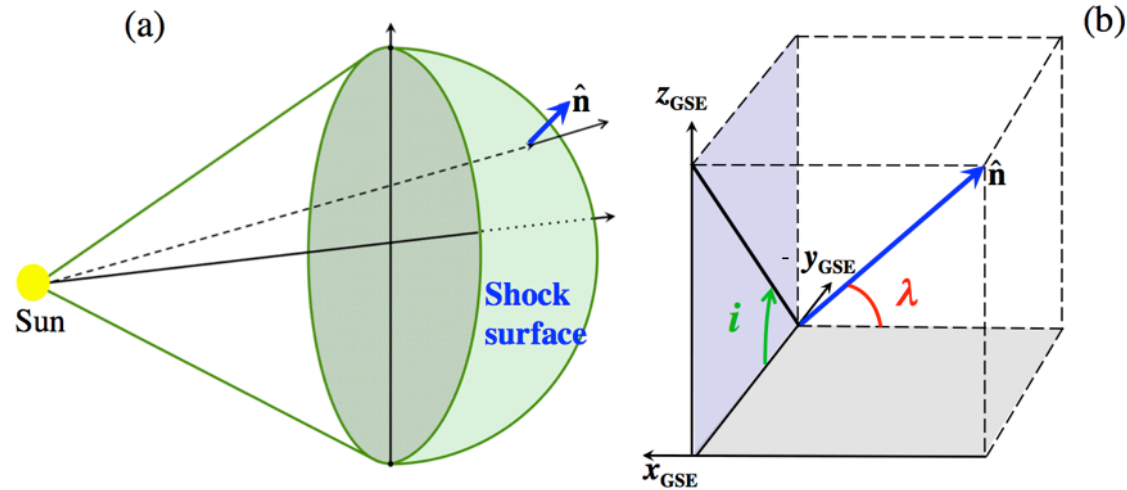
YY	MM	DD	hh	mm	Flag	Shock Normal	$\rho_1/\rho_2$	$V_{sn}$	$M_{f1}$	$M_{f2}$
1998	2	17	22	25	0	(-0.806, 0.152, -0.574)	0.79	383.6	0.93	0.66
1998	2	18	7	52	1	(-0.919, 0.044, 0.392)	0.67	450.1	1.55	0.87
1998	3	4	10	57	1	(-0.729, 0.017, -0.684)	0.51	325.9	1.29	0.46
1998	4	23	17	30	1	(-0.978, -0.025, -0.209)	0.35	388.2	1.79	0.45
1998	4	30	8	48	1	(-0.772, -0.421, 0.476)	0.19	330.8	5.19	0.53
1998	5	1	21	20	1	(-0.793, 0.280, -0.541)	0.30	520.2	1.65	0.31
1998	5	3	16	58	1	(-0.790, 0.600, -0.123)	0.36	435.2	2.75	0.58
1998	5	8	9	20	1	(-0.767, 0.640, -0.033)	0.47	582.5	1.25	0.47
(...)										

Shock normal (Rankine-Hugoniot method)

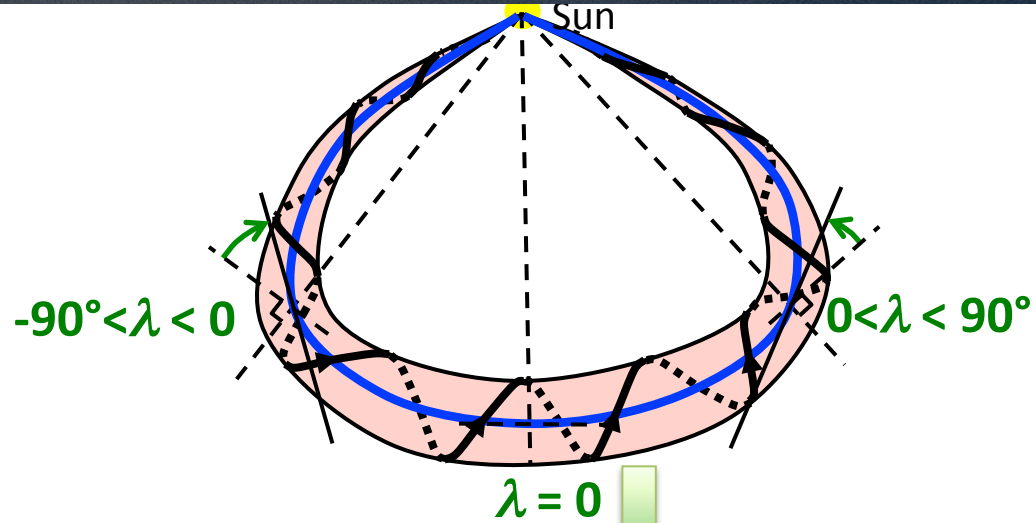
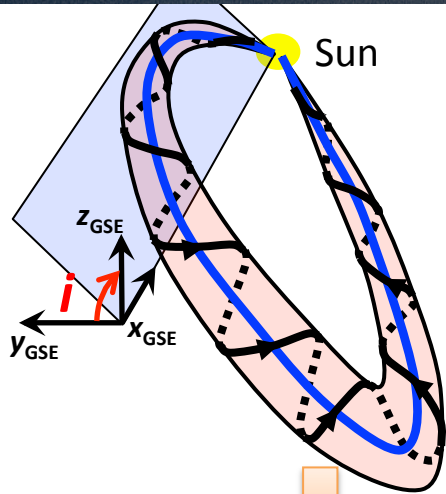
With the normal orientation,  
we have:

✧ Inclination angle  $i$

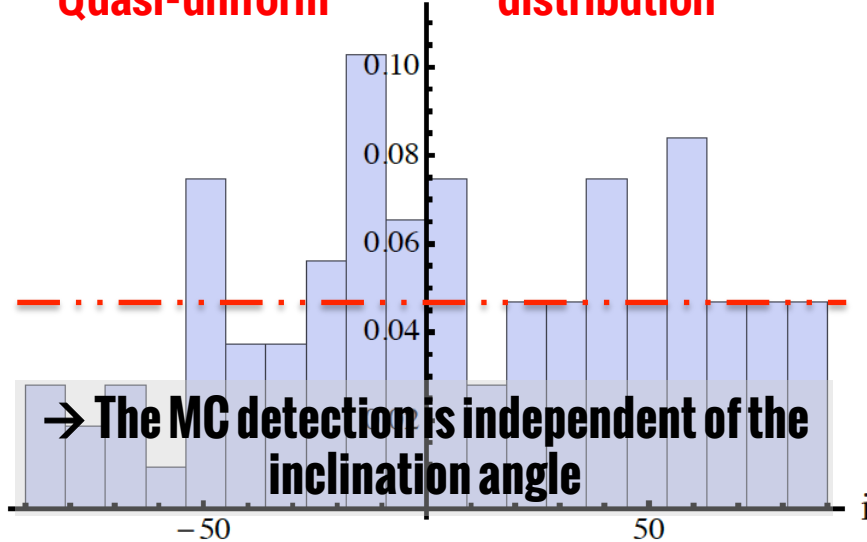
✧ Localisation angle  $\lambda$



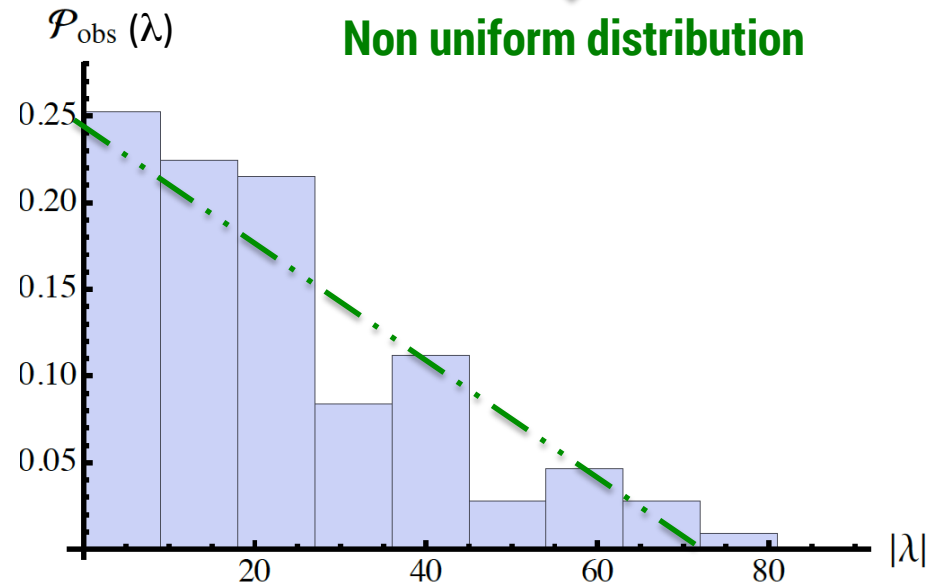
# DISTRIBUTIONS OF OBSERVED PARAMETERS (MCs) Lepping & Wu (2010)



**Quasi-uniform**  $\mathcal{P}_{\text{obs}}(i)$  **distribution**



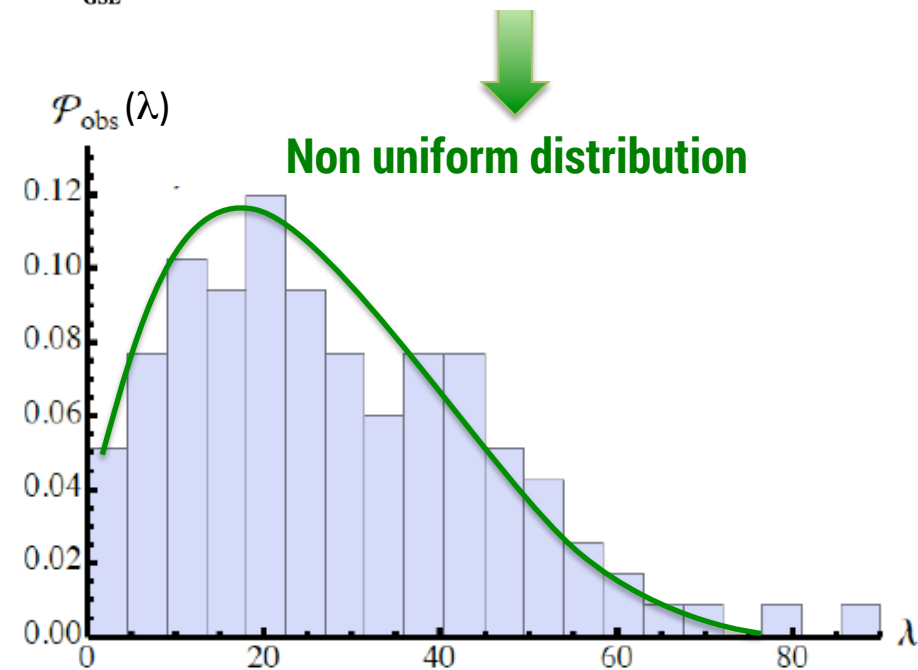
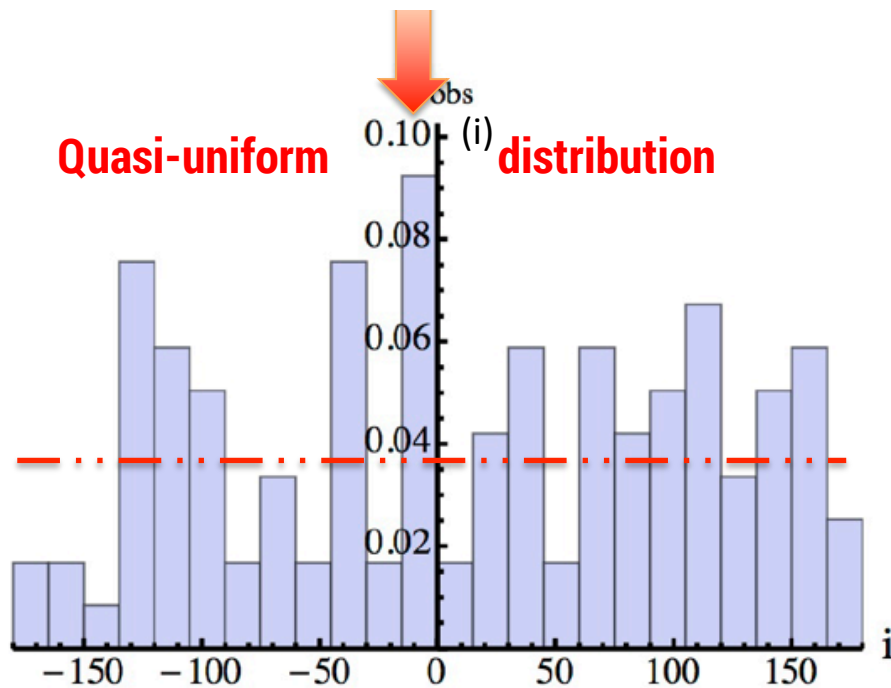
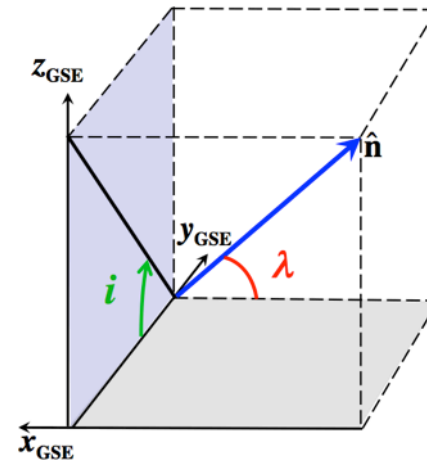
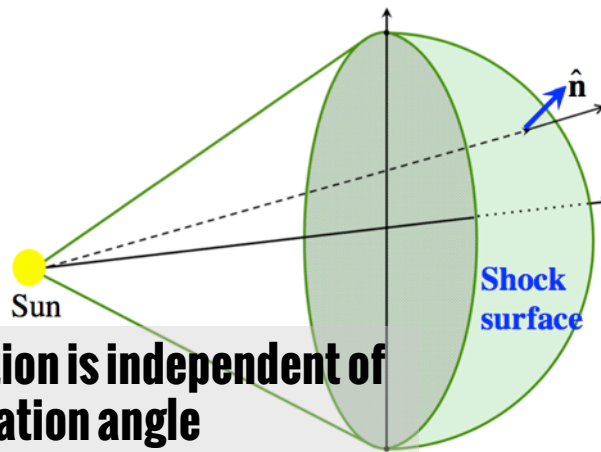
**Non uniform distribution**





# DISTRIBUTIONS OF OBSERVED PARAMETERS (SHOCKS)

Wang et al. (2010)



# COMPARING DIFFERENT CATALOGUES

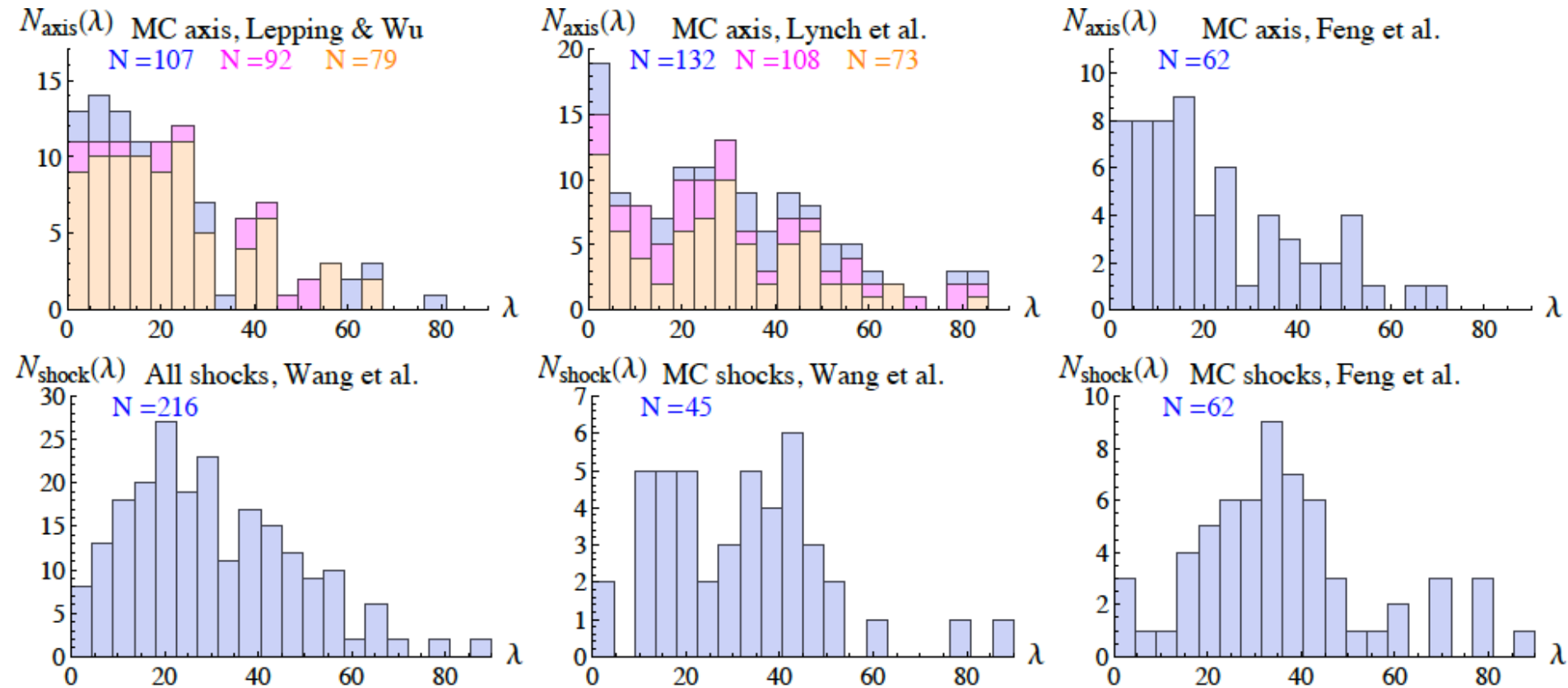
Lynch et al. (2005)	132 MCs
Feng et al. (2010)	62 MCs+shocks
Wang et al. (2010)	216 Shocks
Lepping & Wu (2010)	121 MCs

Only took similar events...

Why such a discrepancy  
in the  $\lambda$  data?

(frontier definition?)

# COMPARING DIFFERENT CATALOGUES

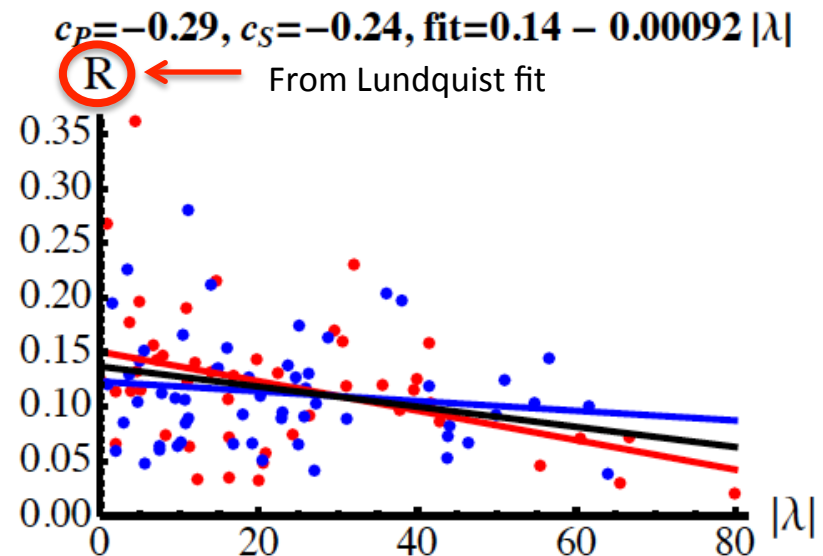
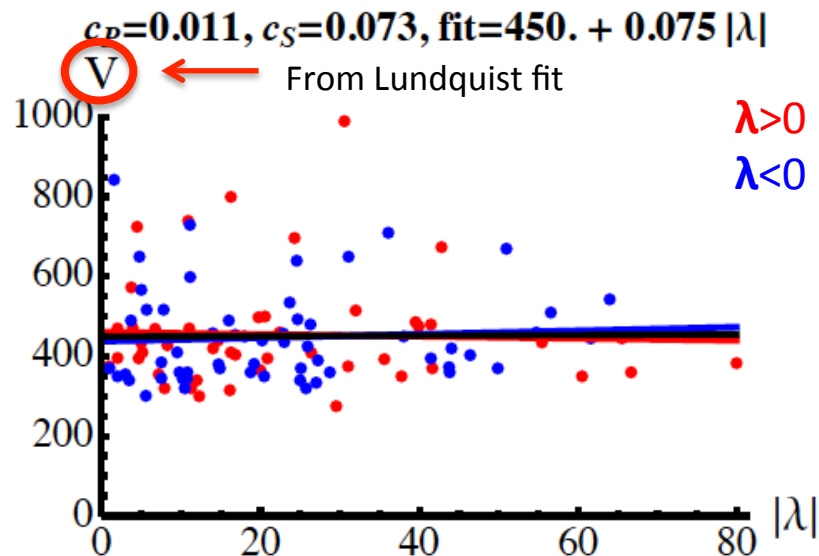


→ Distributions are actually similar!



# DEPENDENCE OF $\lambda$ WITH OTHER PARAMETERS (MCs)

Correlation between  $\lambda$  – other parameters:



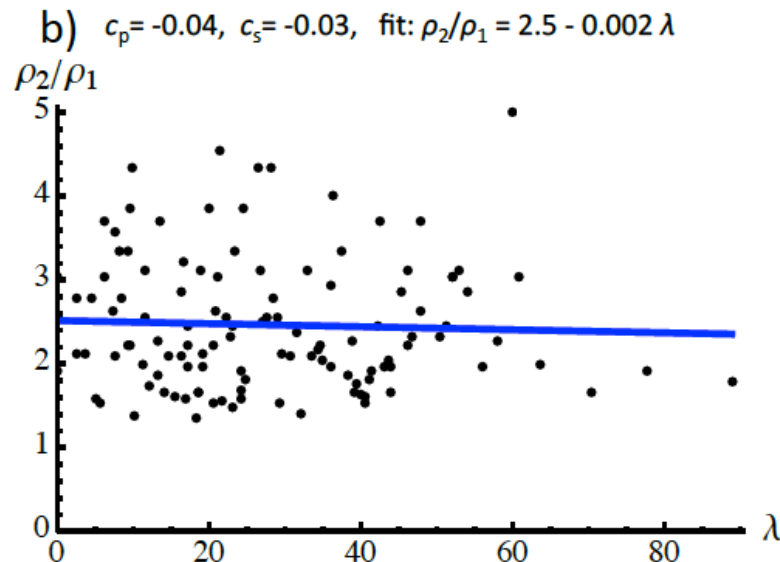
- ✧  $\lambda > 0$  and  $\lambda < 0$  give similar results: independent of the “legs”
- ✧  $\lambda$  is weakly correlated with other MC parameters

# DEPENDENCE OF $\lambda$ WITH OTHER PARAMETERS (SHOCKS)

Correlation between  $\lambda$  – other parameters:

Correlation?					
Shock Normal	$\rho_1/\rho_2$	$V_{sn}$	$M_{f1}$	$M_{f2}$	
(-0.805, 0.152, -0.574)	0.79	383.6	0.93	0.66	
(-0.919, 0.044, 0.392)	0.67	450.1	1.55	0.87	
(-0.729, 0.017, -0.684)	0.51	325.9	1.29	0.46	
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(-0.793, 0.280, -0.541)	0.30	520.2	1.65	0.31	
(-0.790, 0.600, -0.123)	0.36	435.2	2.75	0.58	
(-0.767, 0.640, -0.033)	0.47	582.5	1.25	0.47	

**No correlation!**



⇒  $\lambda$  parameter independent of the other MC/shock characteristics

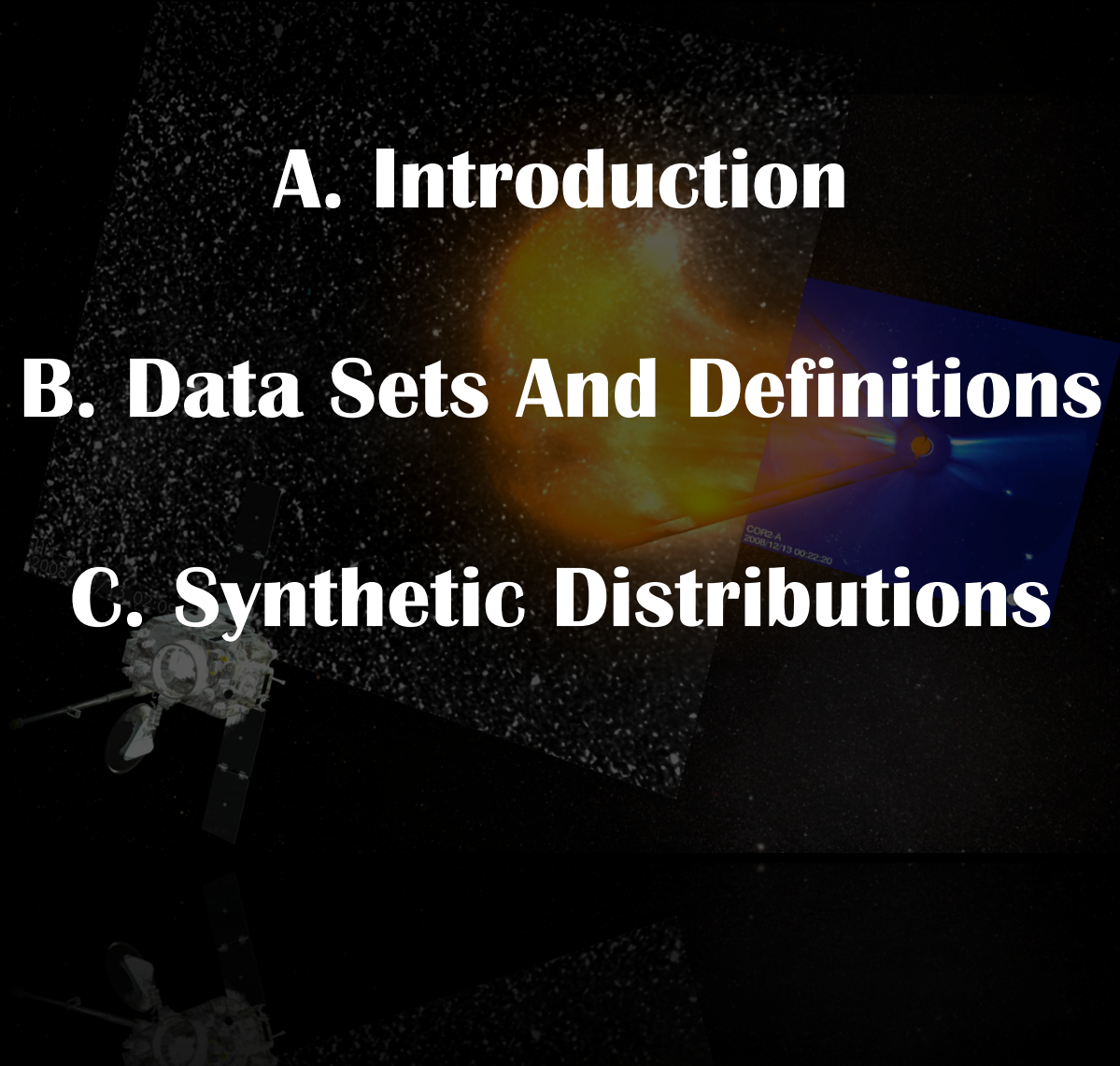
- ➡ We can therefore perform a statistical analysis
- ➡ It *seems* that there is a similar shape for all the MCs/shocks

# OUTLINE

**A. Introduction**

**B. Data Sets And Definitions**

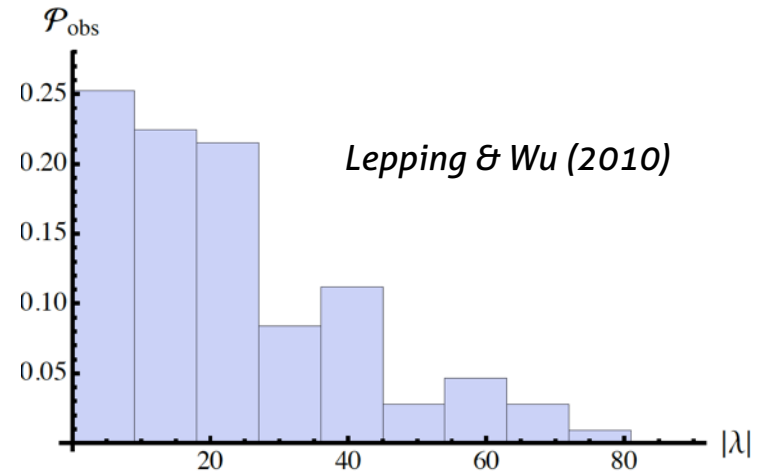
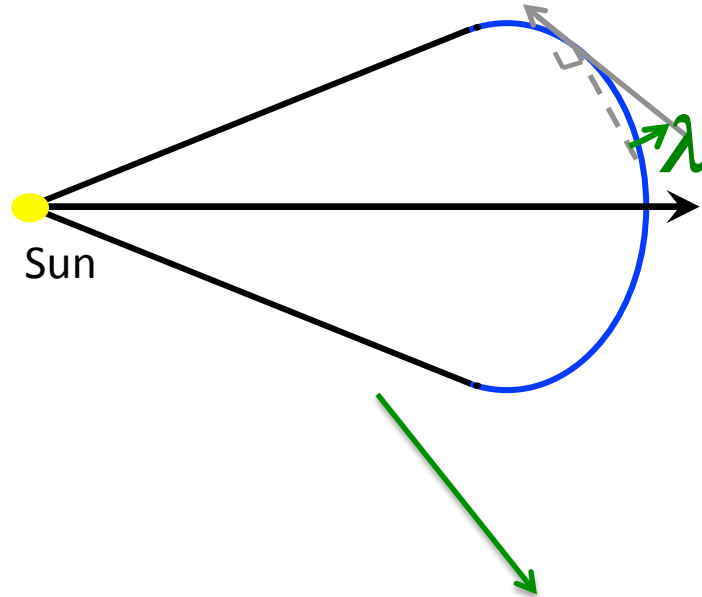
**C. Synthetic Distributions**





# THE IDEA: SYNTHETIC PROBABILITY DISTRIBUTION FROM A MODEL

How does the geometry of the MC axis change the  $\lambda$  distribution?

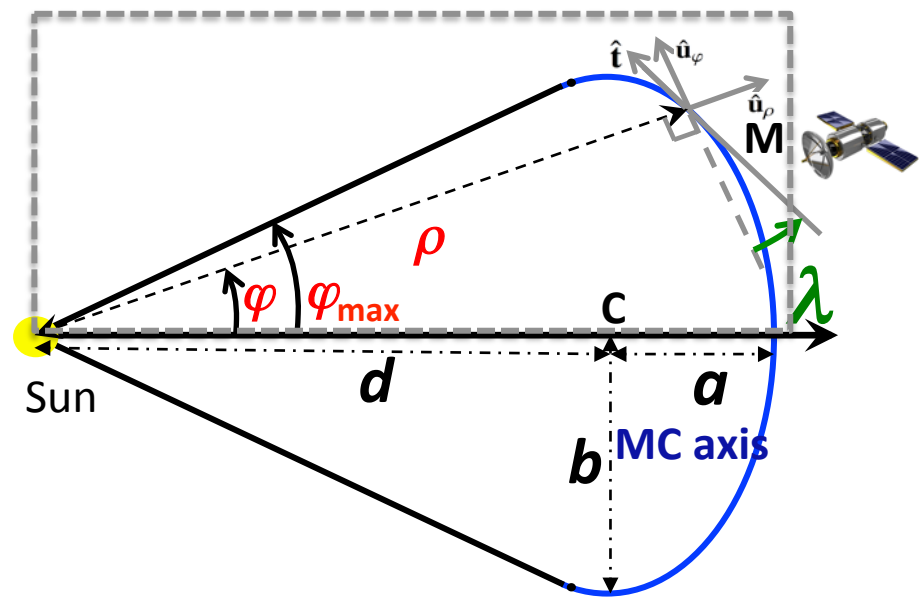


Comparison between synthetic distributions  
where the axis shape is **given**

★ SAME SHAPE FOR DIFFERENT CATALOGUES?

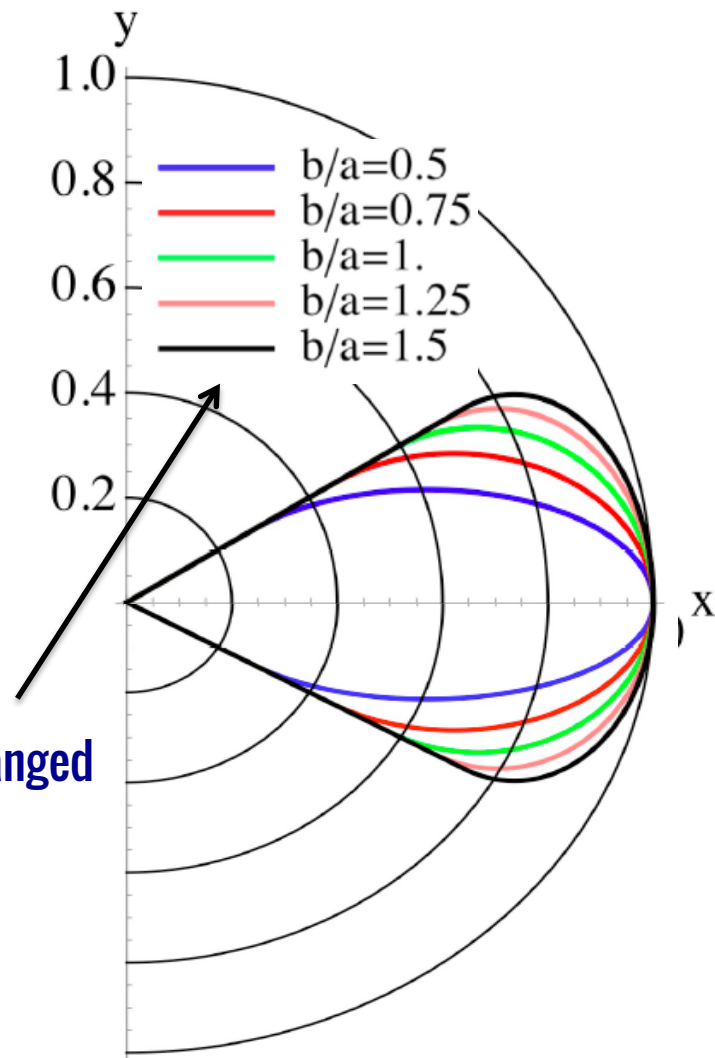
Janvier, Démoulin, Dasso (2013)

# THE ELLIPSOID MODEL (MC CASE)

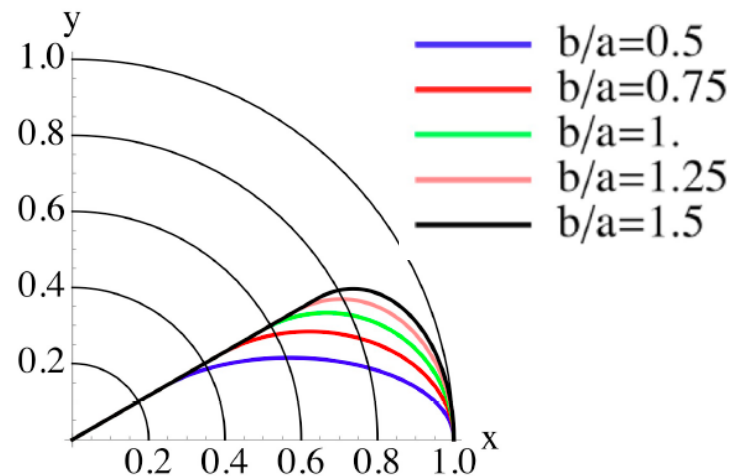
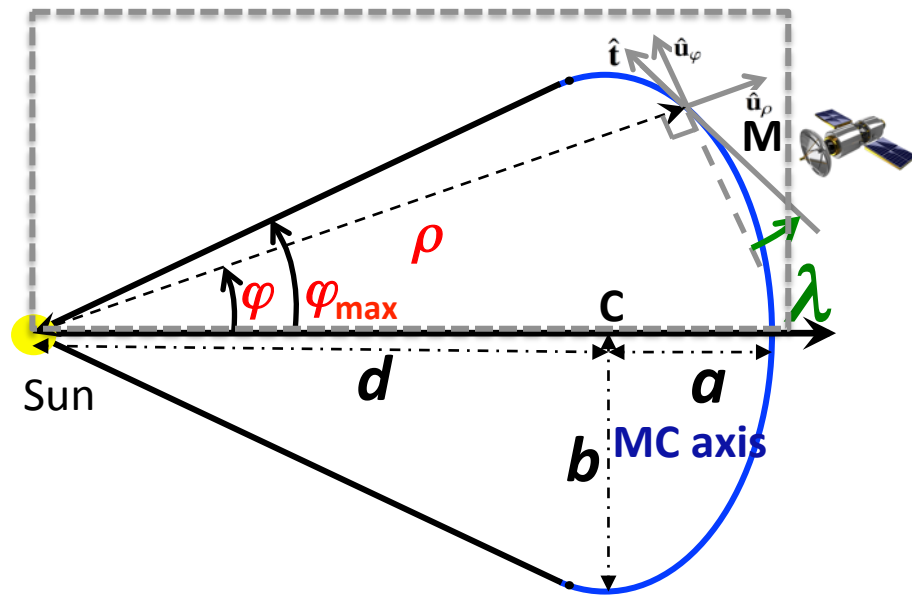


The MC axis is given as an ellipse

The aspect ratio can be changed



# THE ELLIPSOID MODEL (MC CASE)



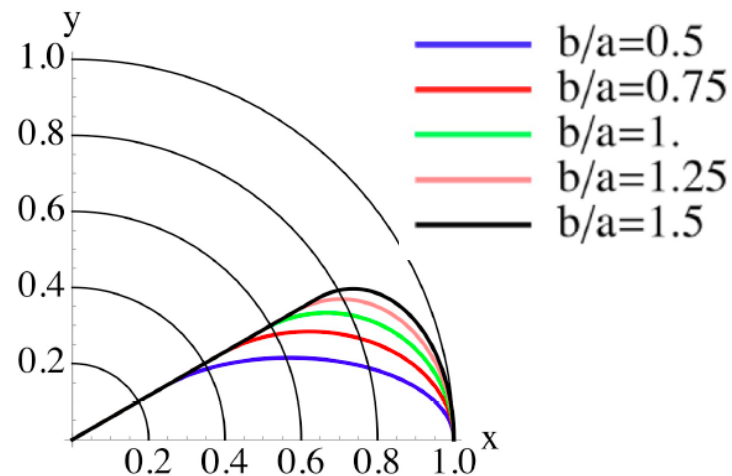
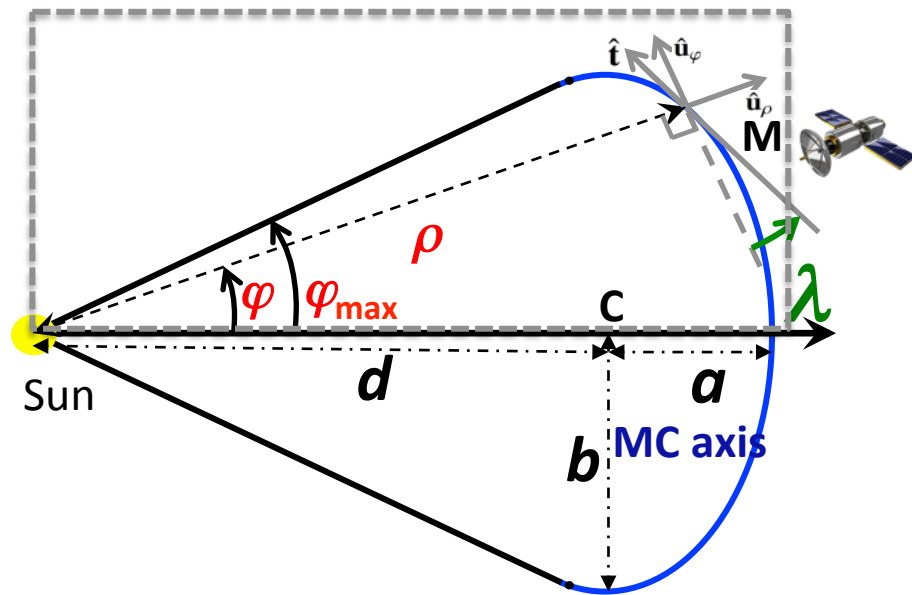
## Synthetic distribution:

→  $\mathcal{P}(\lambda) = \mathcal{P}_\varphi |d\varphi/d\lambda|$

$1/(2 \varphi_{\max})$	Calculated from the geometrical model
<u>Equiprobability in <math>\varphi</math></u>	

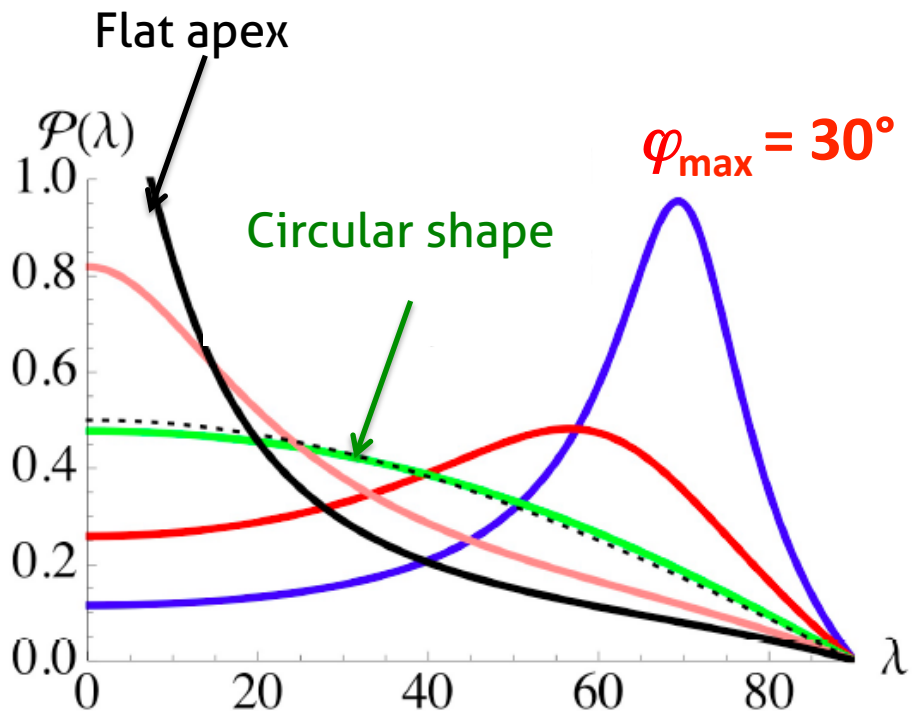


# THE ELLIPSOID MODEL (MC CASE)

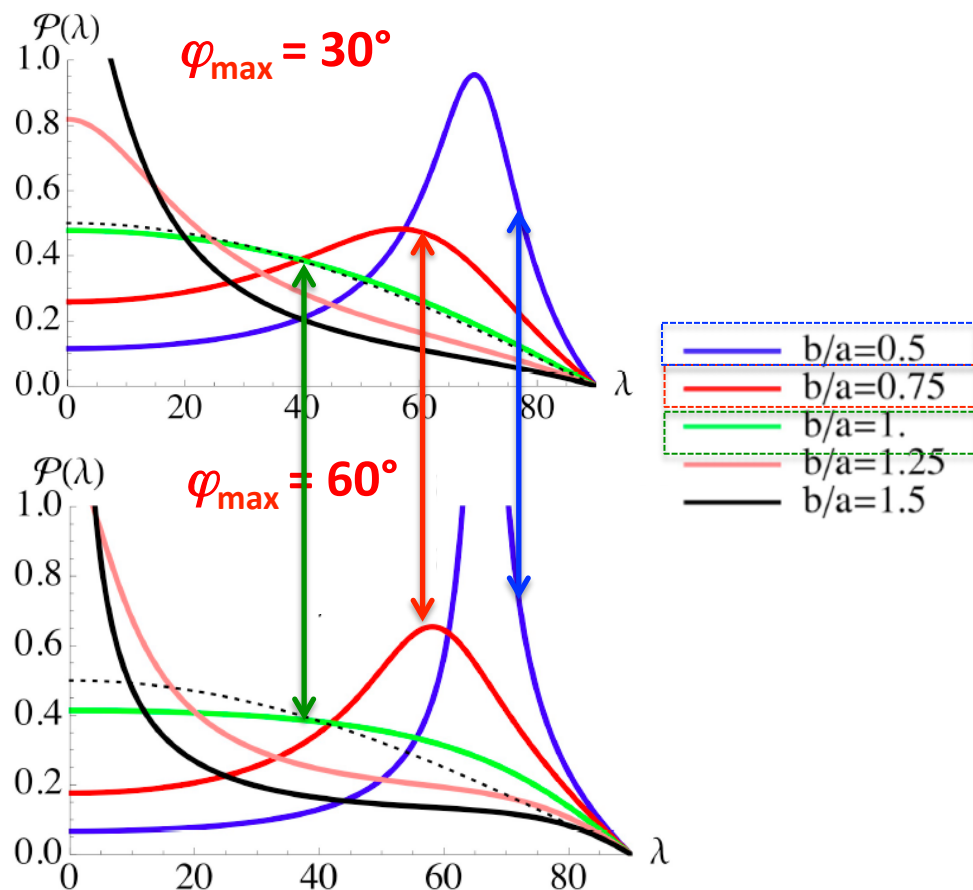
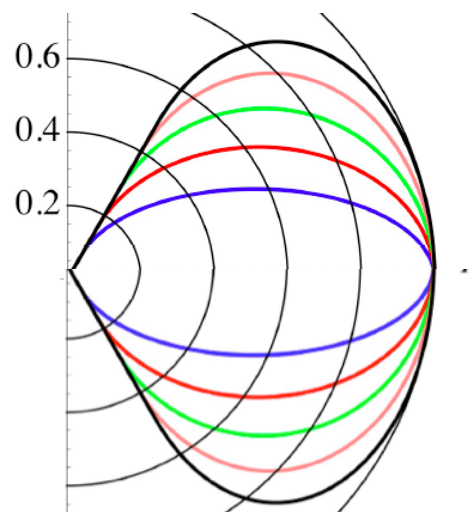
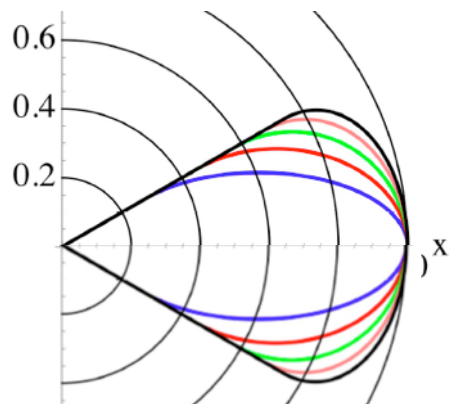


## Synthetic distribution:

$$\mathcal{P}(\lambda) = \mathcal{P}_\varphi \left| \frac{d\varphi}{d\lambda} \right|$$

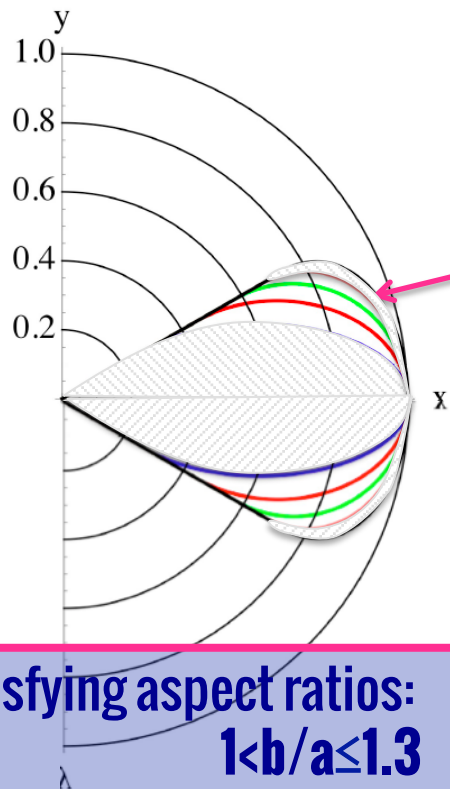


# THE ELLIPSOID MODEL (MC CASE)



The elongation parameter  $\varphi_{\max}$  has a weak effect, contrary to the aspect ratio  $b/a$

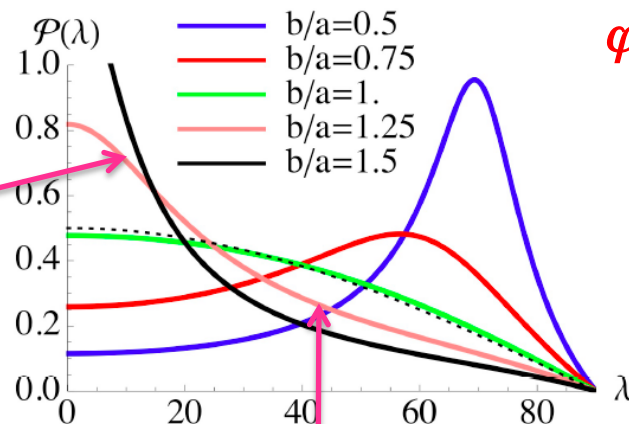
# THE ELLIPSOID MODEL (MC CASE)



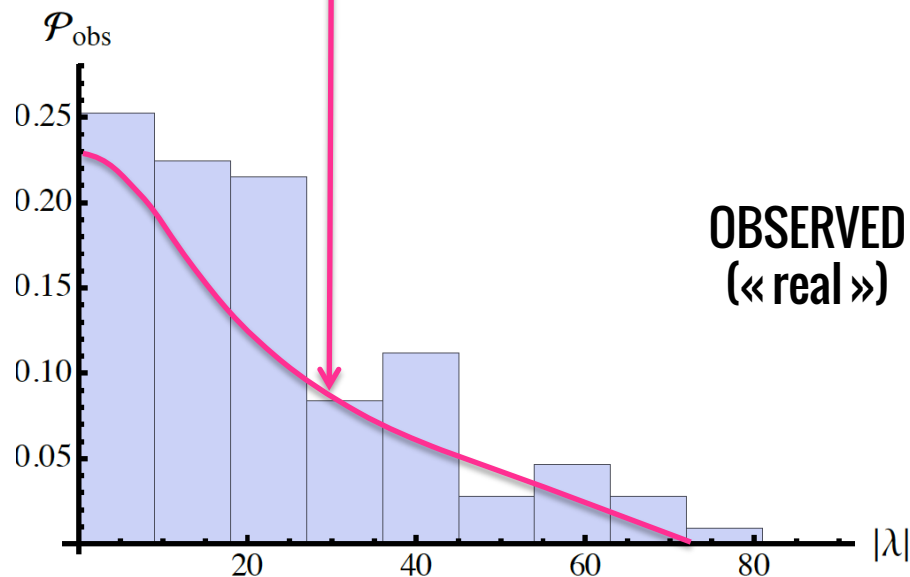
Satisfying aspect ratios:  
 $1 < b/a \leq 1.3$

( $\Rightarrow$  only a small interval of possible shapes)

We have found the most probable MC shapes



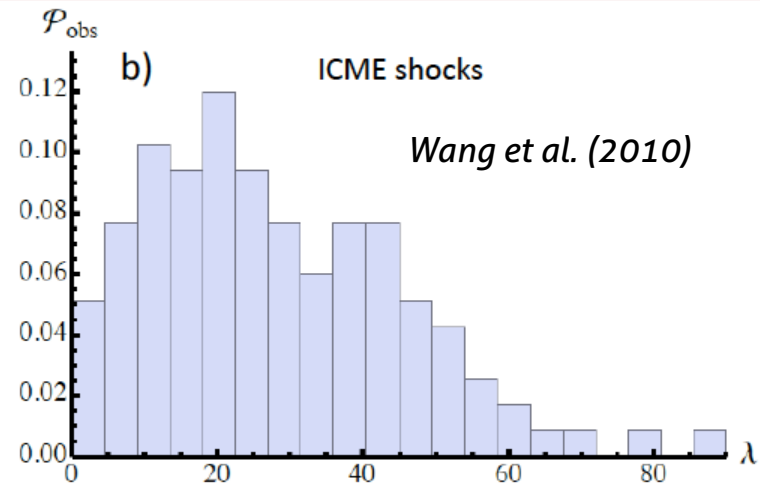
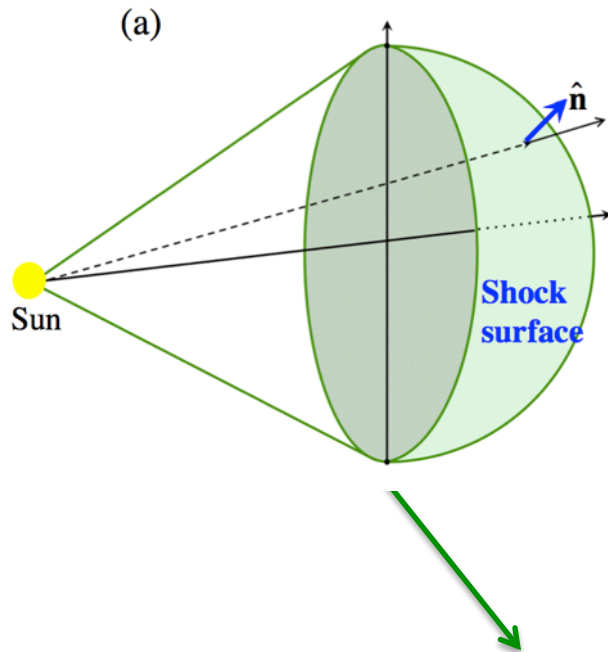
SYNTHETIC



OBSERVED  
(« real »)

# THE COSINE MODEL (SHOCK CASE)

How does the geometry of the shock shell change the  $\lambda$  distribution?



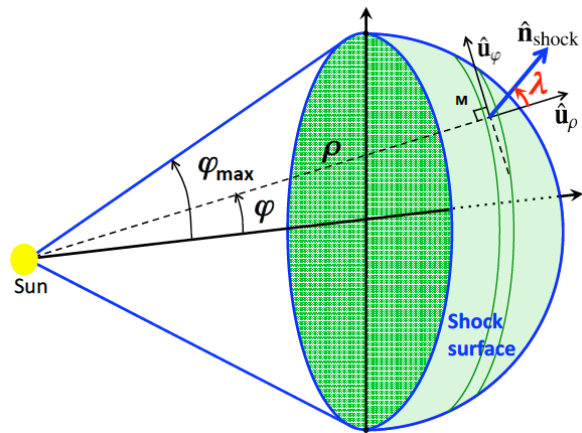
Comparison between synthetic distributions  
where the shock shape is given

★ WE SUPPOSE THAT THE SHOCK HAS A SYMMETRY AROUND THE SUN-APEX DIRECTION

Janvier, Démoulin, Dasso (2014)



# THE COSINE MODEL (SHOCK CASE)



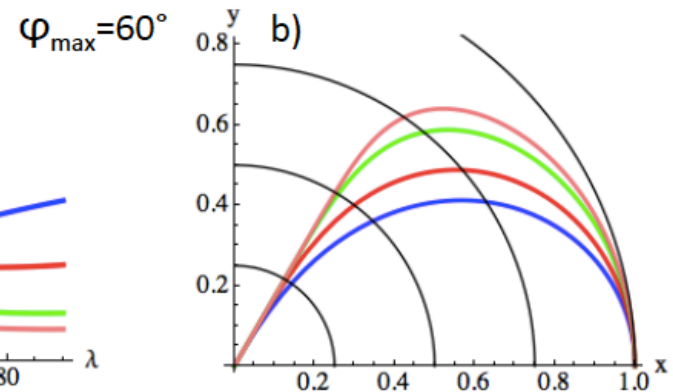
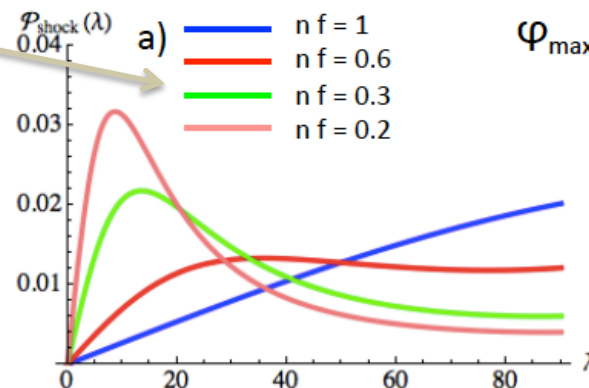
Given shock geometry in cylindrical coordinates:  
 $\Rightarrow$  The  $\lambda$  distribution can be expressed as:

$$\mathcal{P}(\lambda) = \frac{\sin \varphi}{1 - \cos \varphi_{\max}} \frac{1}{\cos^2 \lambda (-d^2 \ln \rho / d\varphi^2)}$$

For example, if we take the following function:  $\rho(\varphi) = \rho_{\max} \cos^n(f\varphi)$  we get:

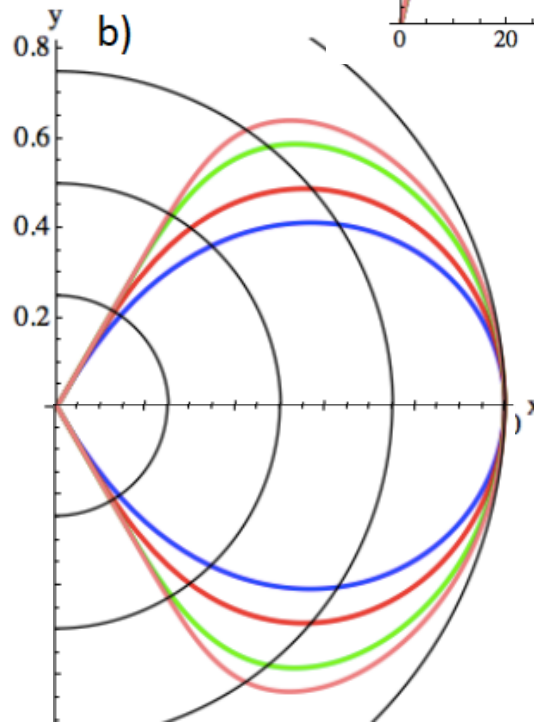
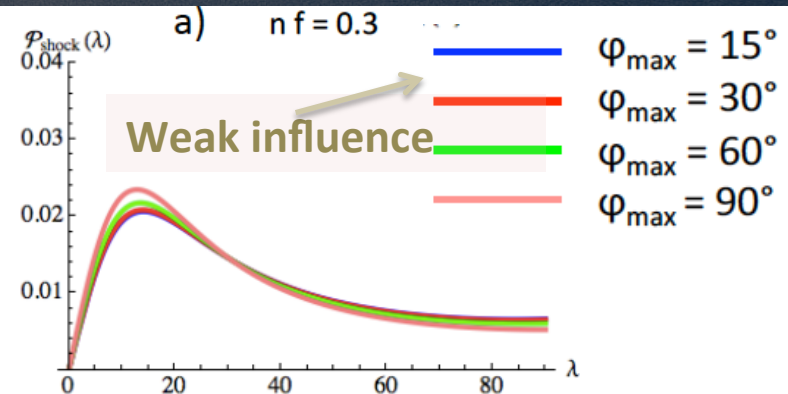
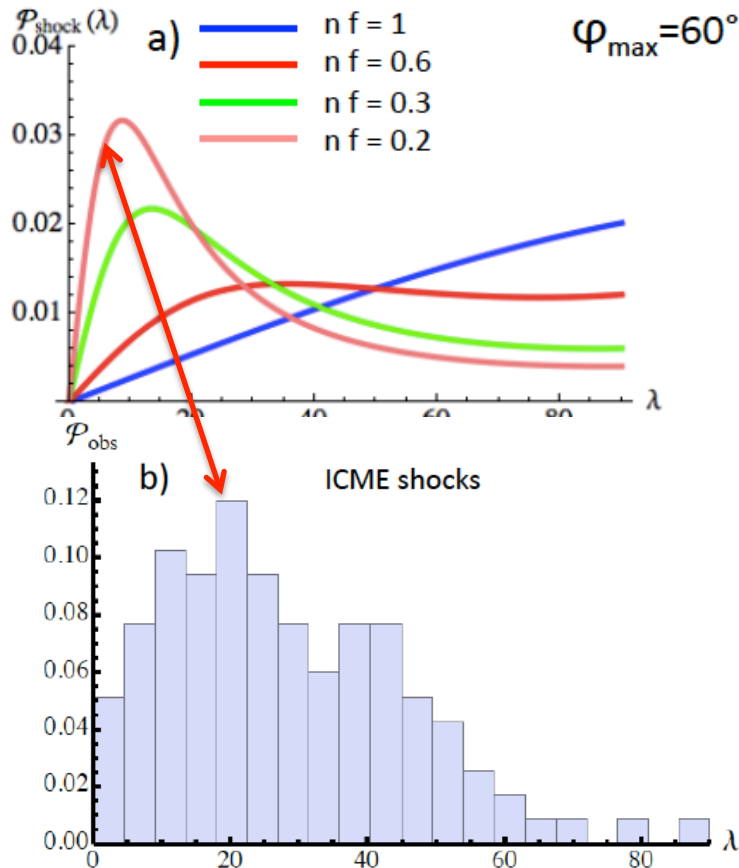
$$\mathcal{P}(\lambda) = \frac{\sin \varphi}{1 - \cos \varphi_{\max}} \overbrace{\frac{n(1 + \tan^2 \lambda)}{(nf)^2 + \tan^2 \lambda}}^{(\text{correlation})}$$

Parameter having an effect on the shapes



# THE COSINE MODEL (SHOCK CASE)

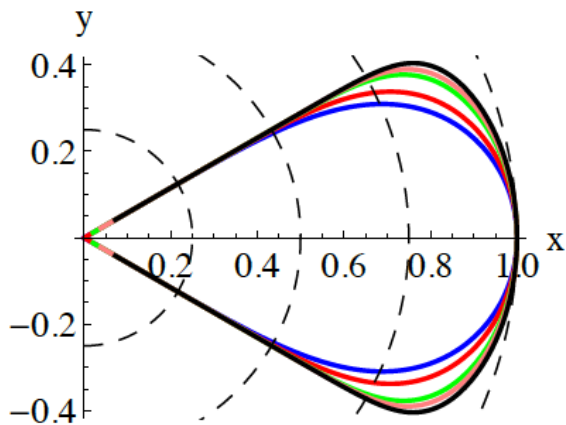
Elongation angle has a weak effect on the distribution functions



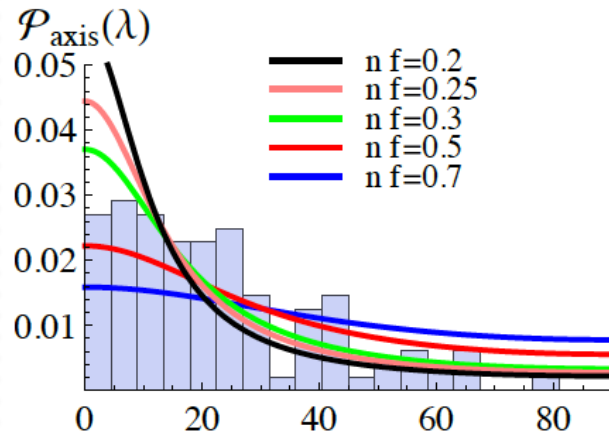
We found the most probable shapes ( $nf$  between 0.17 et 0.45)

# SYNTHETIC DISTRIBUTION FITTING: SUMMARY

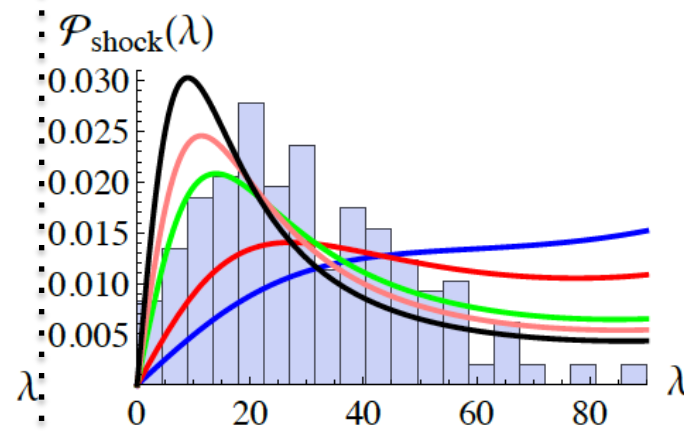
## COSINE MODEL



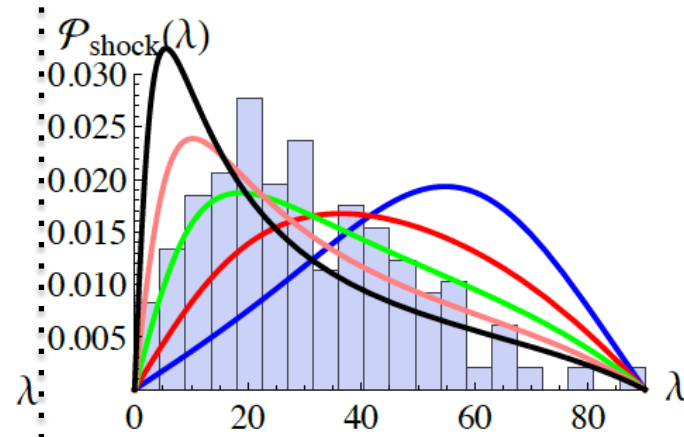
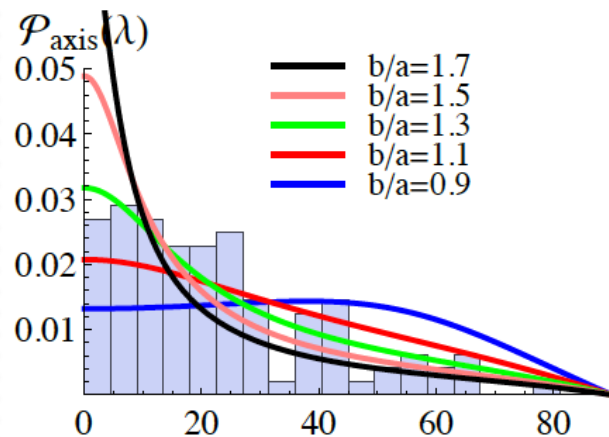
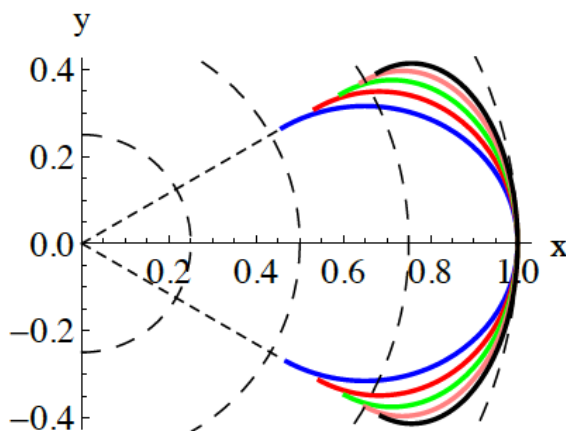
## MC AXIS



## SHOCK



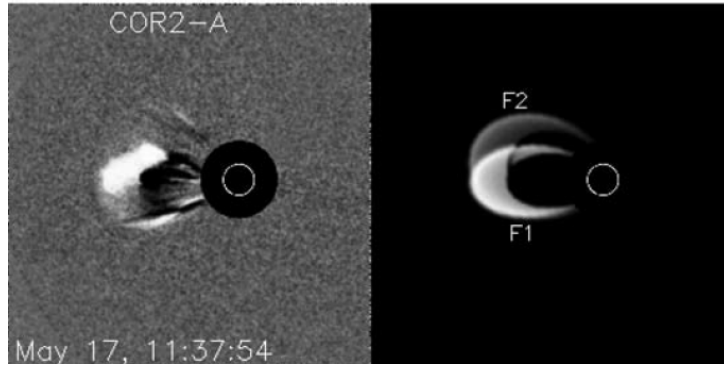
## ELLIPSOIDAL MODEL





# SYNTHETIC DISTRIBUTION FITTING: SUMMARY

## WOOD MODEL

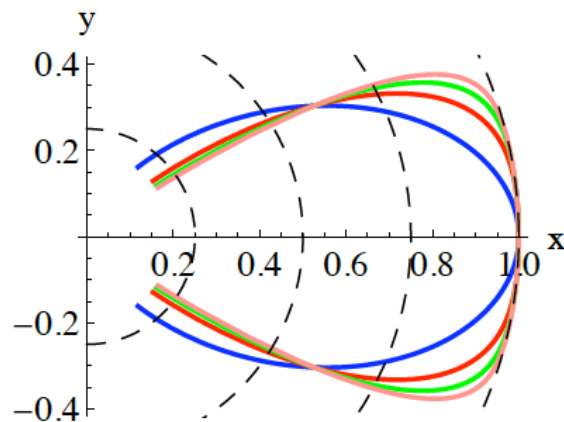


Wood et al. (2009-2012)

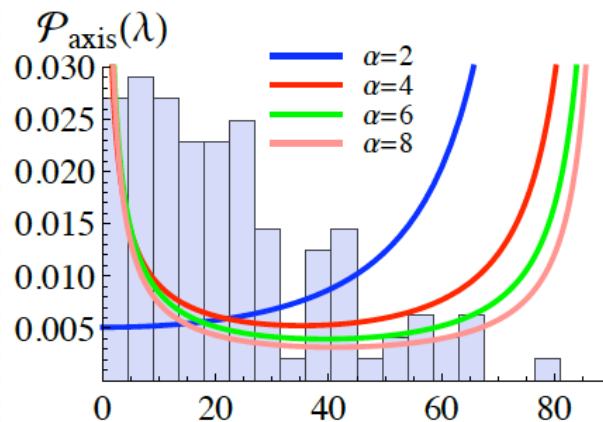
$$\rho_w(\varphi) = \rho_{\max} \exp(-|\varphi/\sigma|^\alpha/2)$$



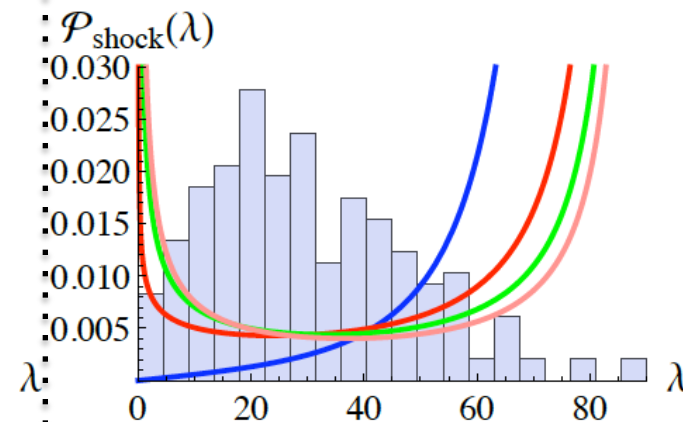
$$\mathcal{P}_w(\lambda) = \frac{\mathcal{P}_\varphi(\varphi_w)}{\alpha - 1} \left( \frac{2\sigma^\alpha}{\alpha} \sin^{2-\alpha} \lambda \cos^{-\alpha} \lambda \right)^{1/(\alpha-1)}$$



## MC AXIS



## SHOCK





# SYNTHETIC DISTRIBUTION FITTING: SUMMARY

TAKING ALL THE CATALOGUES:

$$\text{diff}(\text{obs.}, \text{mod.}) = \sqrt{\frac{1}{n_b} \sum_{i=1}^{n_b} (\mathcal{P}_{\text{obs}}(\lambda_i) - \mathcal{P}_{\text{bmod}}(\lambda_i))^2}$$

Table 1. Best fitted cosine and ellipsoidal models to various data sets.

Observations	
data set	$N_{\text{case}}$
results with MC axis	
Lepping & Wu, all	107
Lepping & Wu, quality 1,2 <sup>b</sup>	74
Lynch <i>et al.</i>	132
Feng <i>et al.</i> , axis	62
results with shock normal	
Feng <i>et al.</i> , shock	62
Wang , all	216
Wang , non-detected ICME <sup>c</sup>	99
Wang , all ICME	117
Wang , non-flux rope ICME	36
Wang , MC-like	36
Wang , MC	45

**Result 1:** Ellipsoidal model slightly better

**Result 2:**

MC AXIS:  $b/a \sim 1.2$

SHOCK:  $b/a \sim 1.3$

Janvier *et al.* (2015)

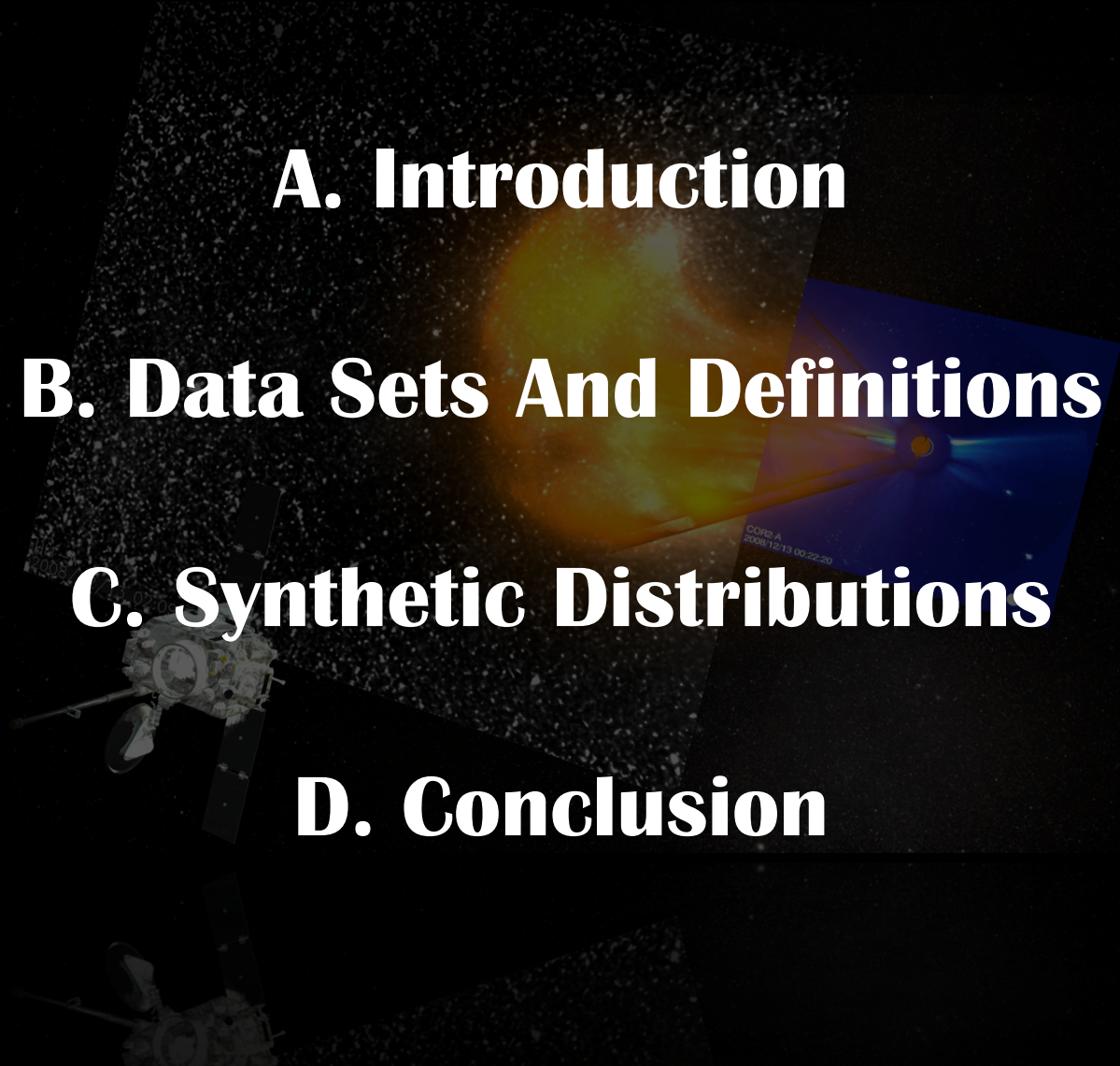
# OUTLINE

**A. Introduction**

**B. Data Sets And Definitions**

**C. Synthetic Distributions**

**D. Conclusion**



# CONCLUSION

IS THERE A GENERIC SHAPE FOR ICMES?

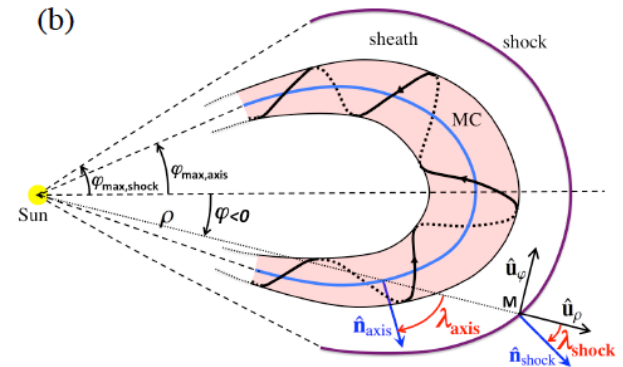


Look at **MC** and **SHOCKS**



Introduced new parameters  
Inclination angle  
Location angle

LOOKED AT THEIR  
PROBABILITY DISTRIBUTION



# CONCLUSION

IS THERE A GENERIC SHAPE FOR ICMES?



Look at **MC** and **SHOCKS**



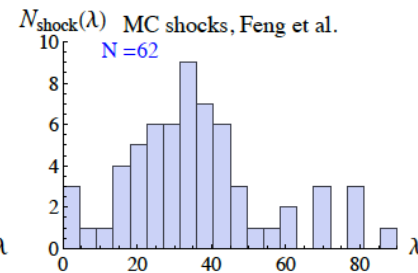
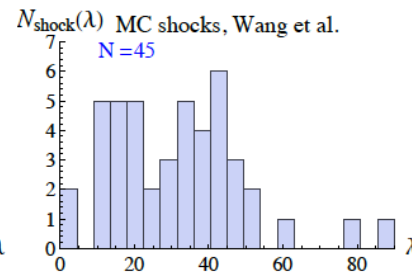
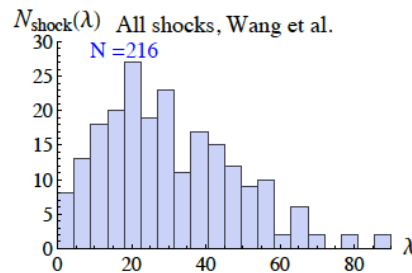
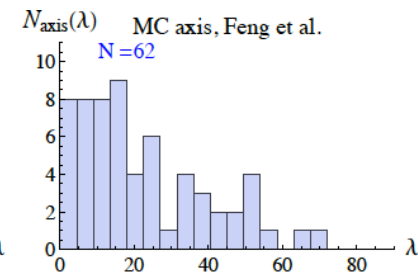
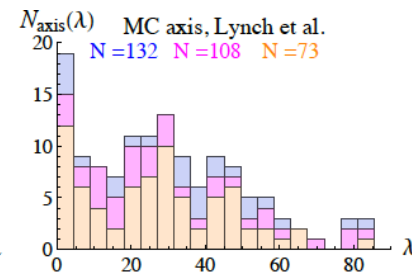
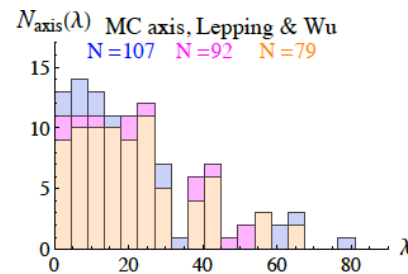
Introduced new parameters  
Inclination angle  
Location angle

LOOKED AT THEIR  
PROBABILITY DISTRIBUTION

Particular shape



Can we deduce a shape influence on  
this distribution ?





# CONCLUSION

IS THERE A GENERIC SHAPE FOR ICMES?



Look at **MC** and **SHOCKS**



Introduced new parameters

Inclination angle

Location angle

LOOKED AT THEIR  
PROBABILITY DISTRIBUTION

Particular shape

Can we deduce a shape influence on  
this distribution ?

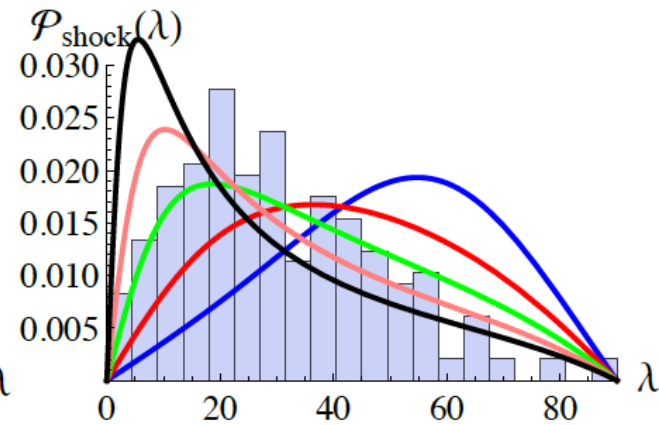
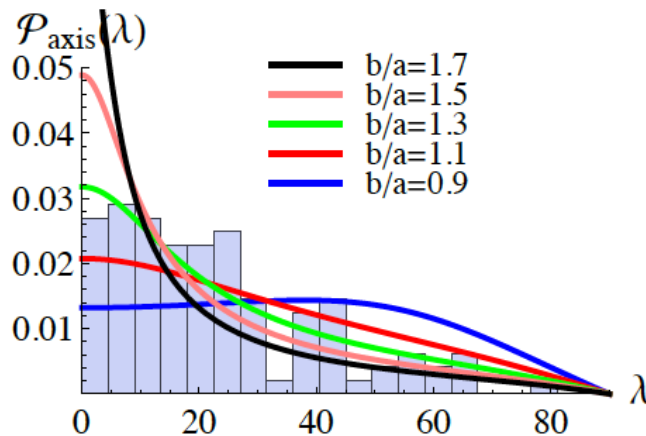
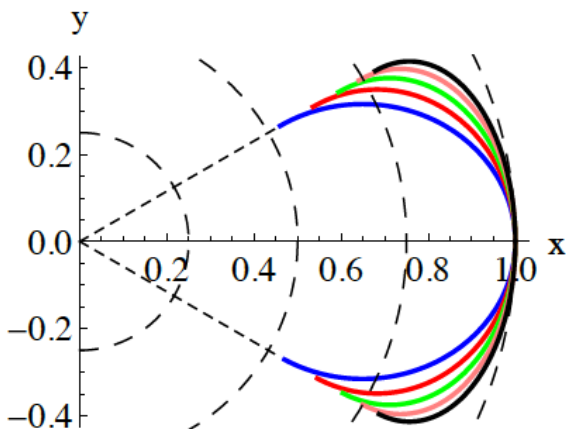


MC AXIS:  $b/a \sim 1.2$

SHOCK:  $b/a \sim 1.3$

ELLIPSOIDAL MODEL

CHECKED NO  
CORRELATIONS!



# WHAT'S IN FOR HELCATS?

MORE CATALOGUES!



Test on a more extended sample



**Different distances?**

Understand shape changes  
throughout propagation of ICMEs

CONTRIBUTION FROM  
NUMERICAL MODELS



Currently testing ellipsoidal shape from  
different simulations

**What parameters influence shape?**

CONTRIBUTION FROM  
CORONAGRAPHS/HI



Models of shocks (probably the easiest)  
**Can we deduce similar shapes?**